

Supernovae as PeVatrons

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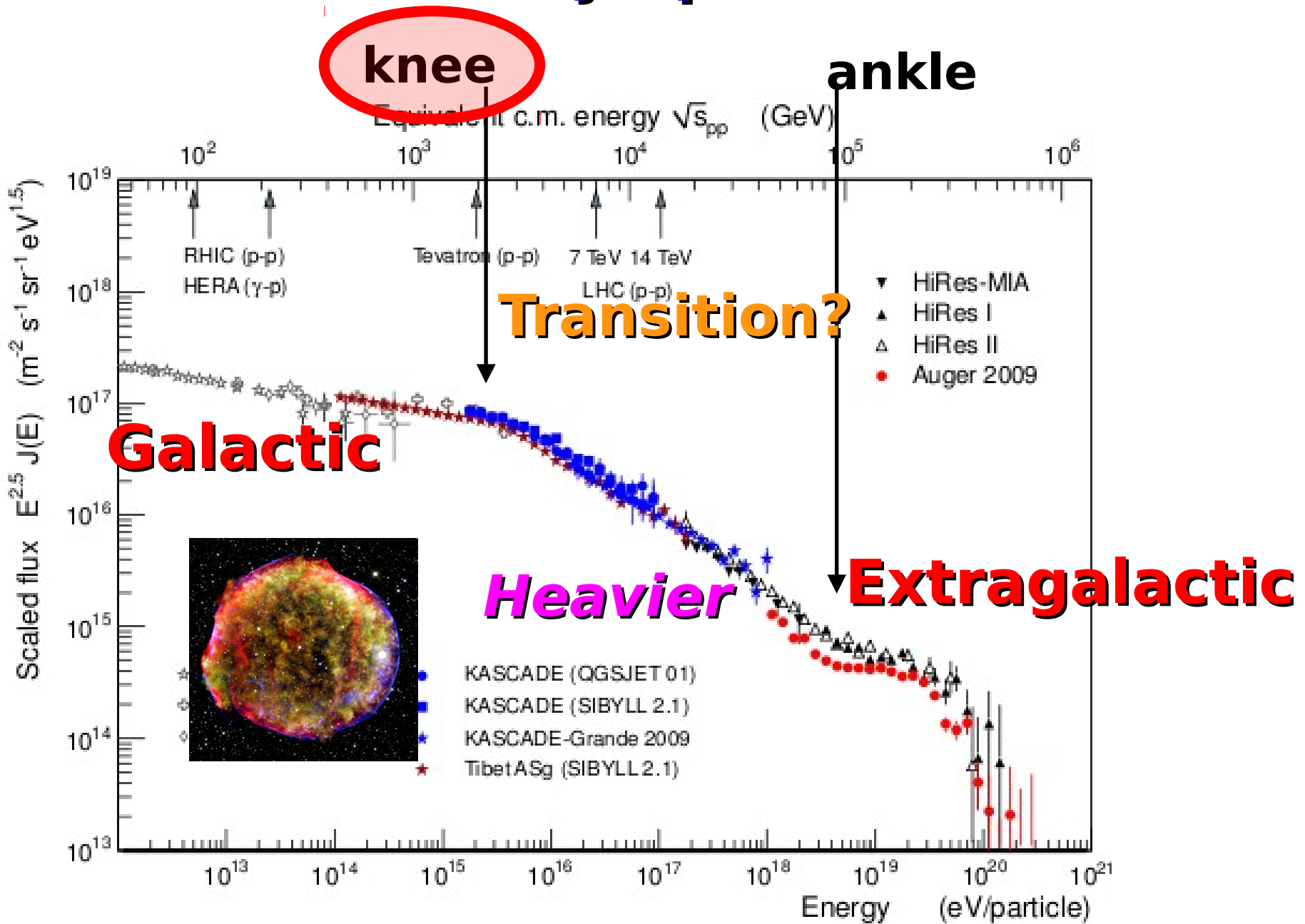
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Giacinti & Bell, MNRAS 449, 3693 (2015);

Bell, Schure, Reville & Giacinti, MNRAS 431, 415 (2013)

Cosmic ray spectrum



knee

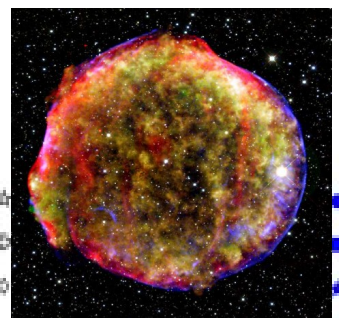
ankle

Transition?

Galactic

Heavier

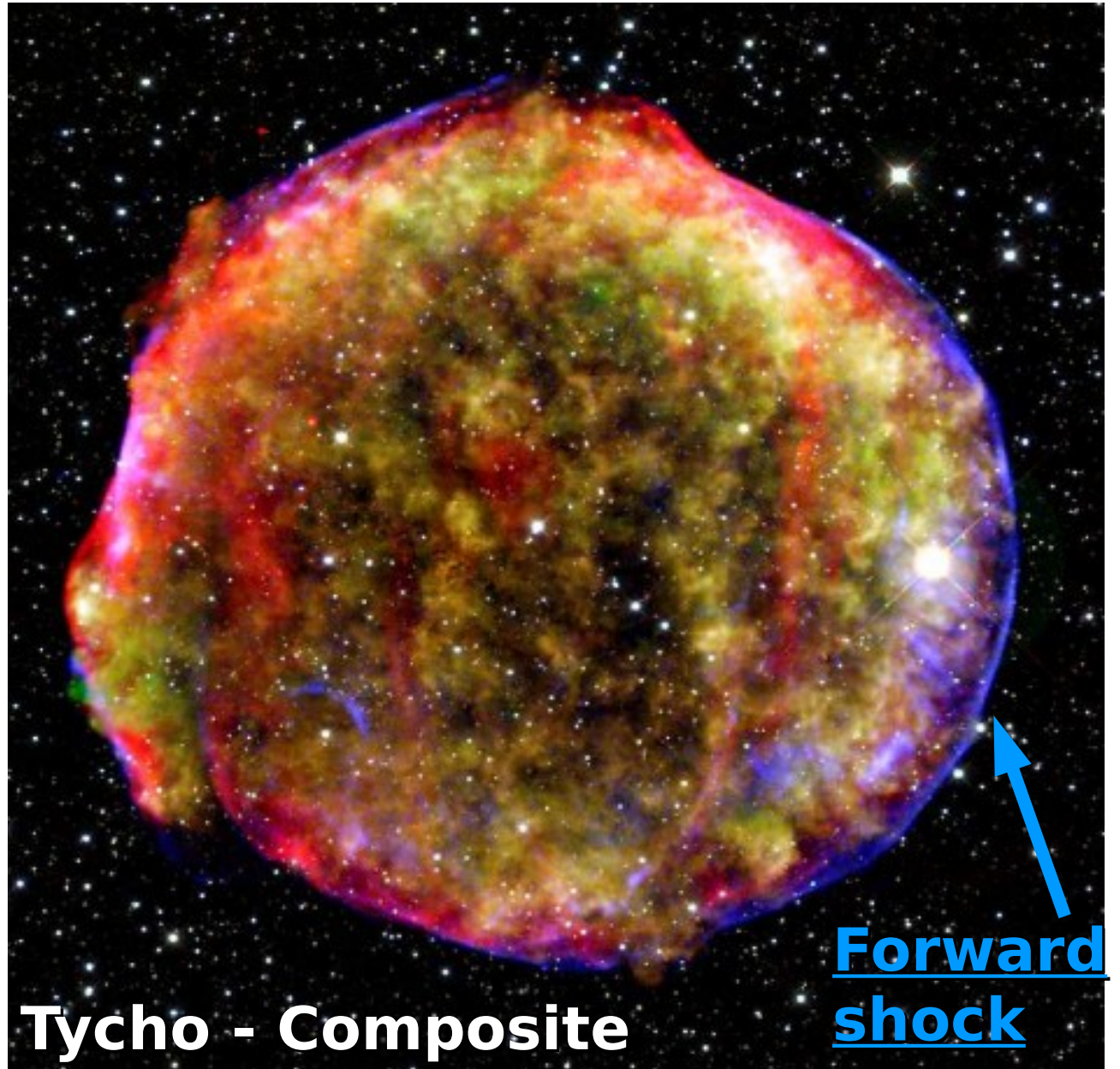
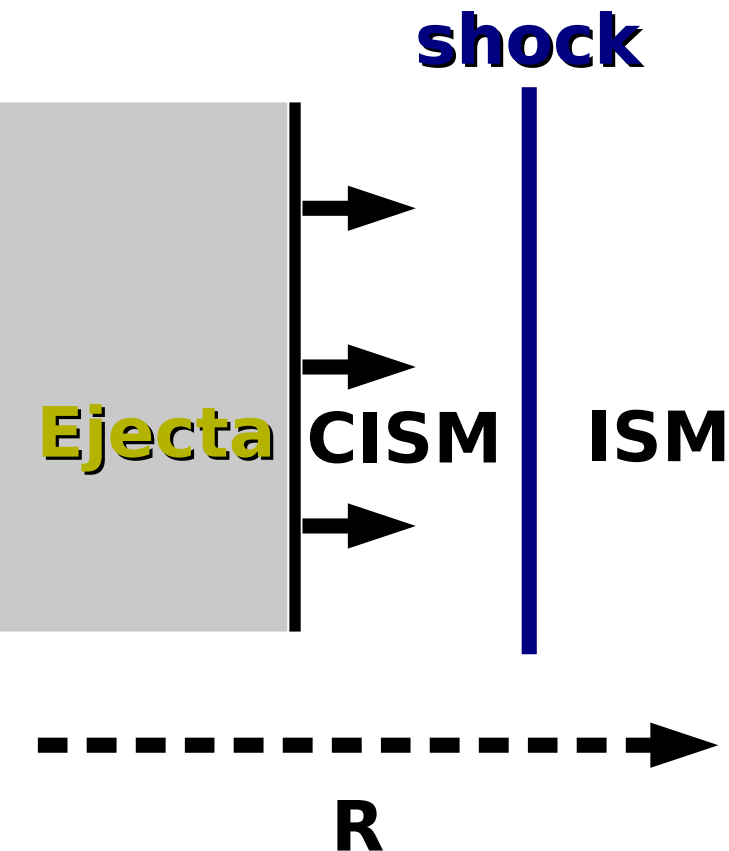
Extragalactic



- KASCADE (OGSJET 01)
- KASCADE (SIBYLL 2.1)
- KASCADE-Grande 2009
- TibetASg (SIBYLL 2.1)

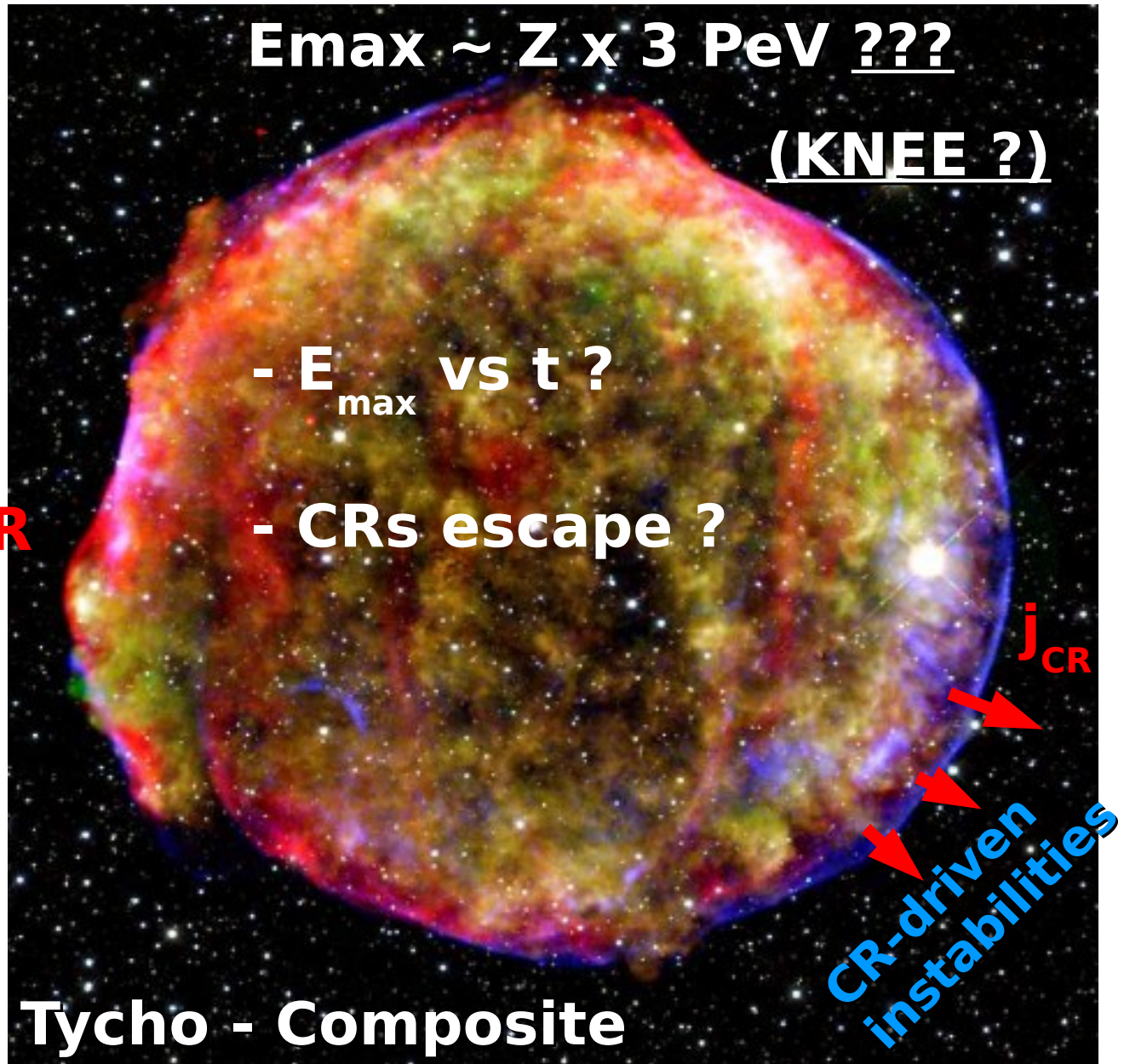
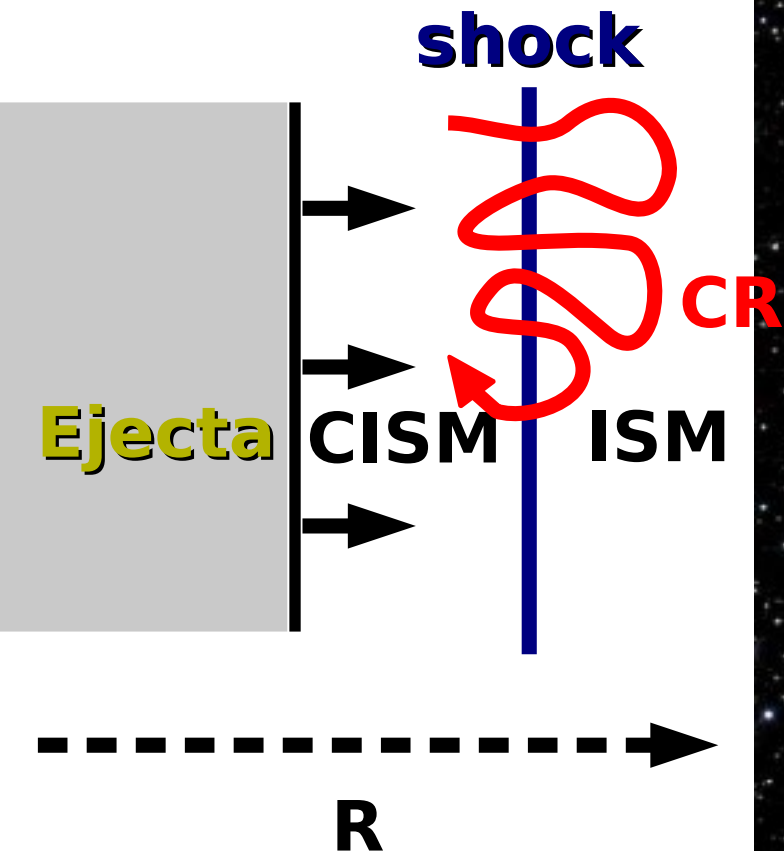
Sources, acceleration mechanism

Supernova remnants



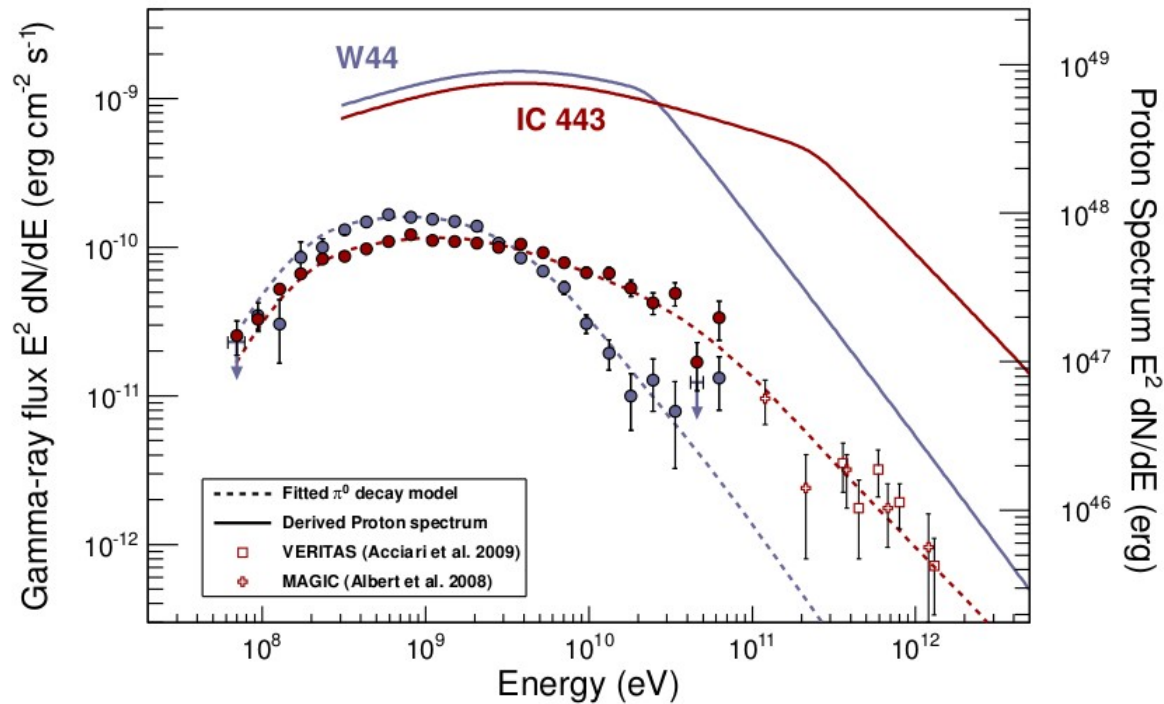
Sources, acceleration mechanism

Diffusive shock acceleration
 (Krymskii; Axford
et al. '77; Bell; Bland-
 ford & Ostriker '78)



In γ – rays :

→ Old SNRs : Fermi-LAT coll., Science **339**, 807 (2013)



→ Historical SNRs : Particles up to ~ 100 's TeV only !

... So where are the PeVatrons ???

Outline

I – Cosmic Ray Acceleration at SNR / SNe

- ***How do CR escape SNR ? magnetic field amplification ?***
- ***Can SNR accelerate CR to > 1 PeV ... when ?***

II – SNe in dense winds as PeVatrons

III – Particle Acceleration BEFORE SN Shock Breakout

- ***When does particle acceleration start ?***

Sources, acceleration mechanism

Need for MF amplification

Bell '78

Shock front

Alfven waves

\underline{W}_1

\underline{W}_2

B

Upstream

Downstream

CR precursor size D/u_{shock}

$$\tau = \frac{4D_{upstream}}{u_{shock}^2} + \frac{4D_{downstream}}{(u_{shock}/4)^2} \approx \frac{8D_{upstream}}{u_{shock}^2}$$

$$E_{max} \text{ for : } \tau = R/u_{shock}$$

$$D_{Bohm} = cR_g/3$$

$$E_{max} = \frac{3}{8} u_{shock} BR$$

$$300 \text{ yrs, } B \sim 3 \mu\text{G, } u_{shock} \sim 5000 \text{ km s}^{-1}$$

$$\Rightarrow E_{max} \sim 10 \text{ TeV !!!}$$

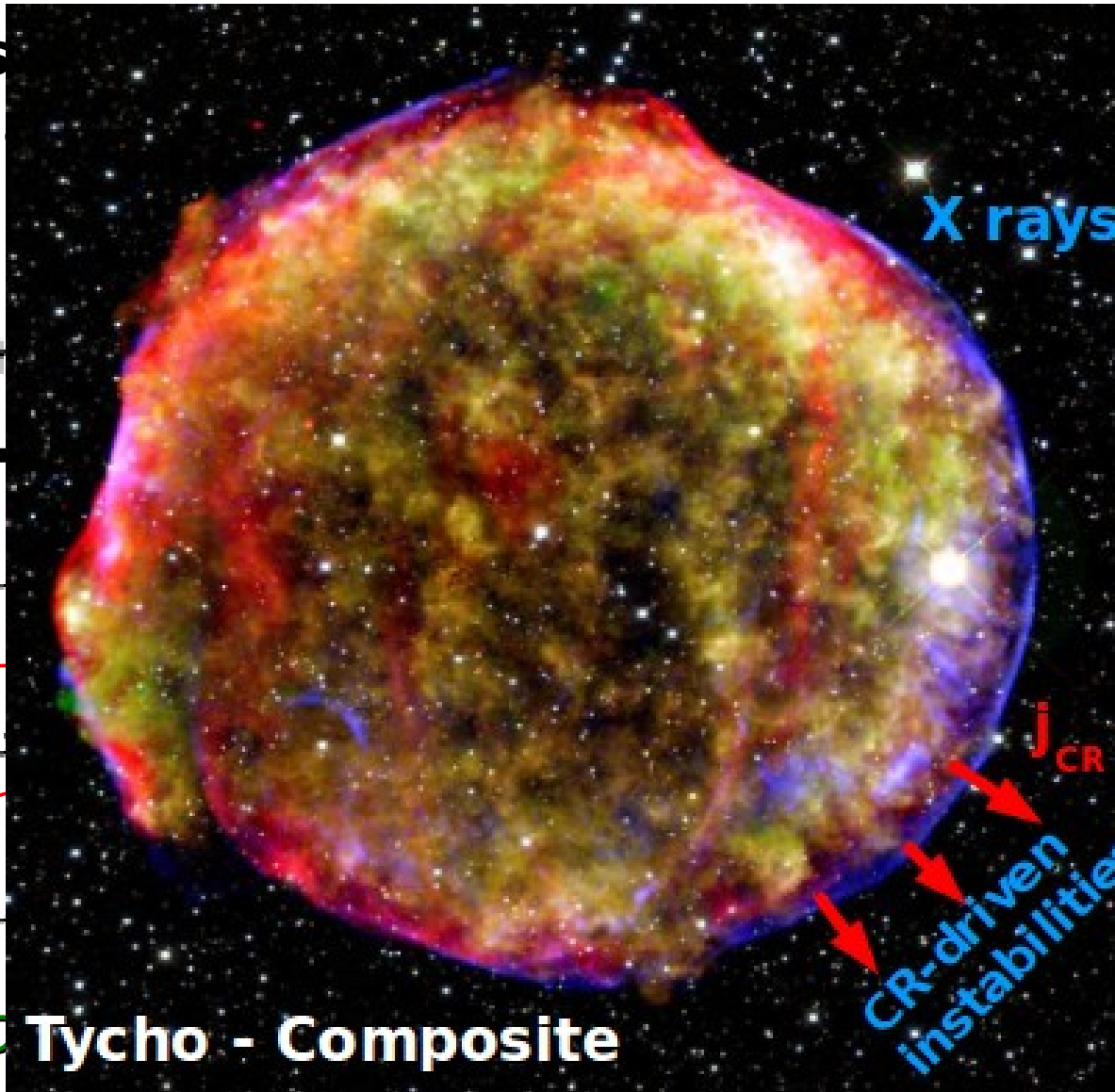
= > Need for MF amplification

Sources, acceleration mechanism

Diffusion
Axford et al

'77;
Lippman & Teller (1978)

Bell '78



Alfven waves

W_1

X rays

J_{CR}
CR-driven instabilities

$$\frac{v_{upstream}}{(4)^2} \approx \frac{8D_{upstream}}{u_{shock}^2}$$

$$\tau = R/u_{shock}$$

$$R_{Bohm} = cR_g/3$$

$$u_{shock} \sim 5000 \text{ km s}^{-1}$$

10 TeV !!!

Tycho - Composite

Upstream

Downstream

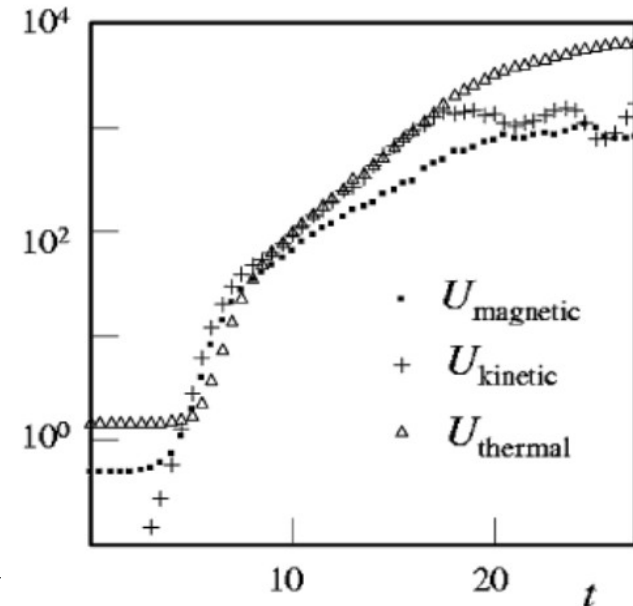
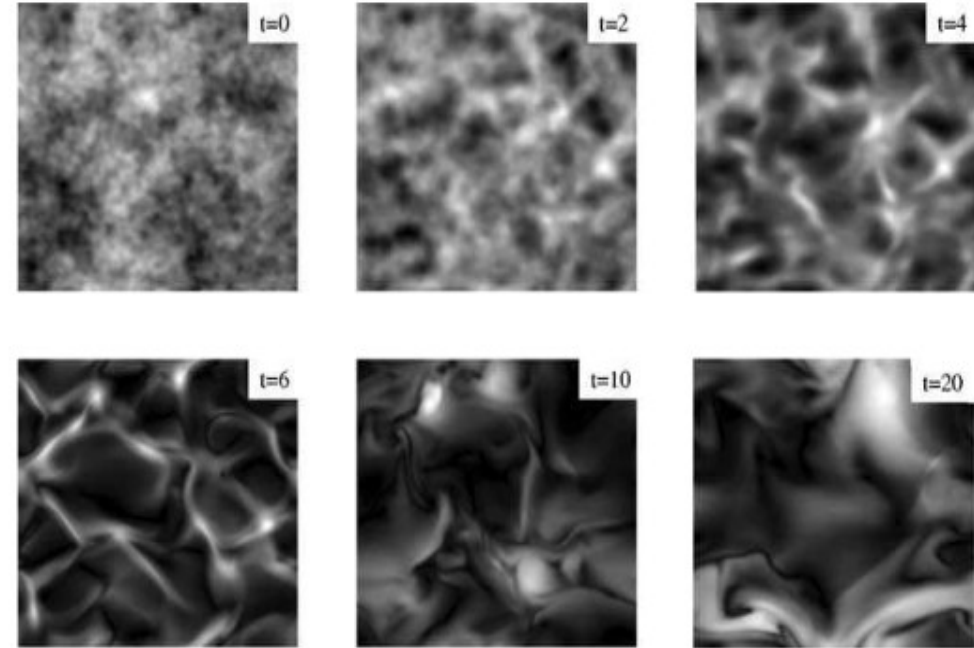
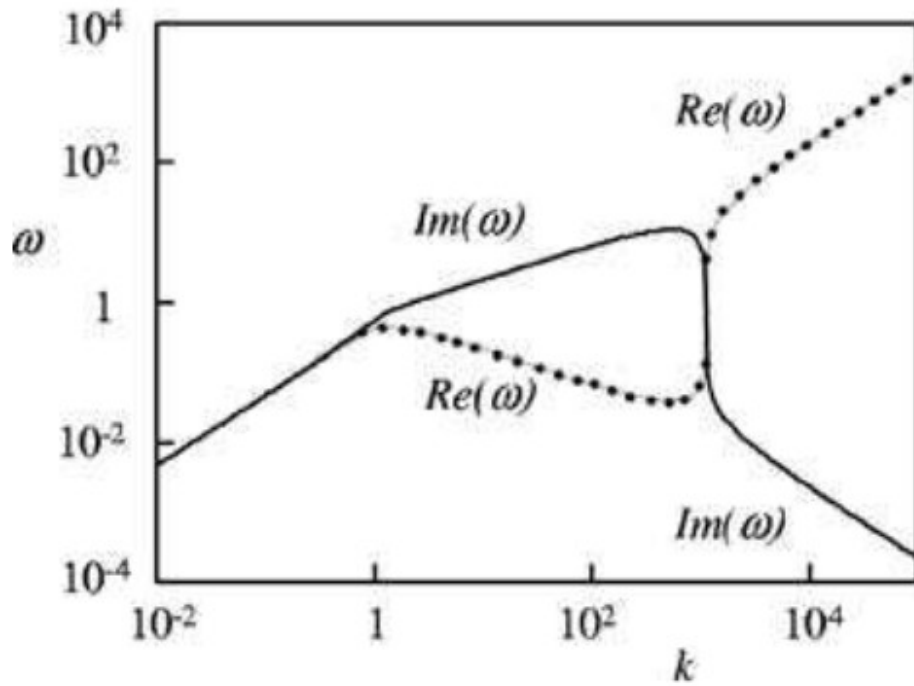
= > Need for MF amplification

NRH instability (Bell '04)

Large CR current densities : Non-resonant hybrid instability

$$\text{if } Bj_{\text{CR}}r_L / (\rho_{\text{ISM}}v_A^2) > 1$$

$$\Gamma_{\text{BNRH}} = 0.5j_{\text{CR}}\sqrt{\mu_0/\rho_{\text{ISM}}}$$



CR acceleration and escape

MNRAS 431, 415 (2013)

We now set out to test the above conclusions as far as we are able with a numerical model that includes the self-consistent interaction of CR modelled kinetically with a background plasma modelled magnetohydrodynamically. Standard MHD equations describe the background plasma except that a $-\mathbf{j}_{CR} \times \mathbf{B}$ force is added to the momentum equation:

Bkg →
plasma

$$\rho \frac{d\mathbf{u}}{dt} = -\nabla P - \frac{1}{\mu_0} \mathbf{B} \times (\nabla \times \mathbf{B}) - \underline{\mathbf{j}_{CR} \times \mathbf{B}} \quad (7)$$

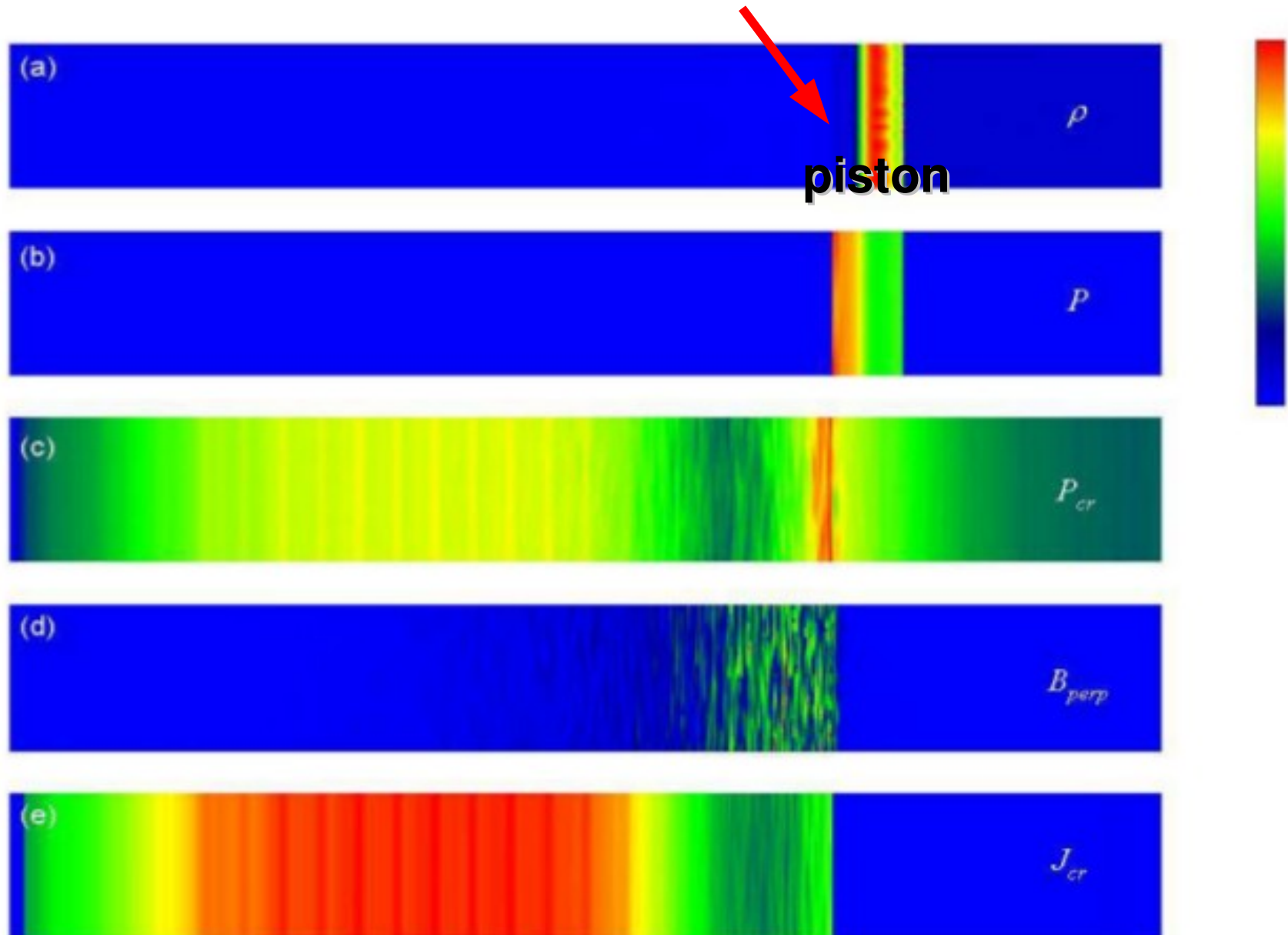
as described in Lucek & Bell (2000) and Bell (2004). The CR distribution function $f(\mathbf{r}, \mathbf{p}, t)$ at position \mathbf{r} and momentum \mathbf{p} is defined in the local fluid rest frame and evolves according to the Vlasov-Fokker-Planck (VFP) equation

CRs →

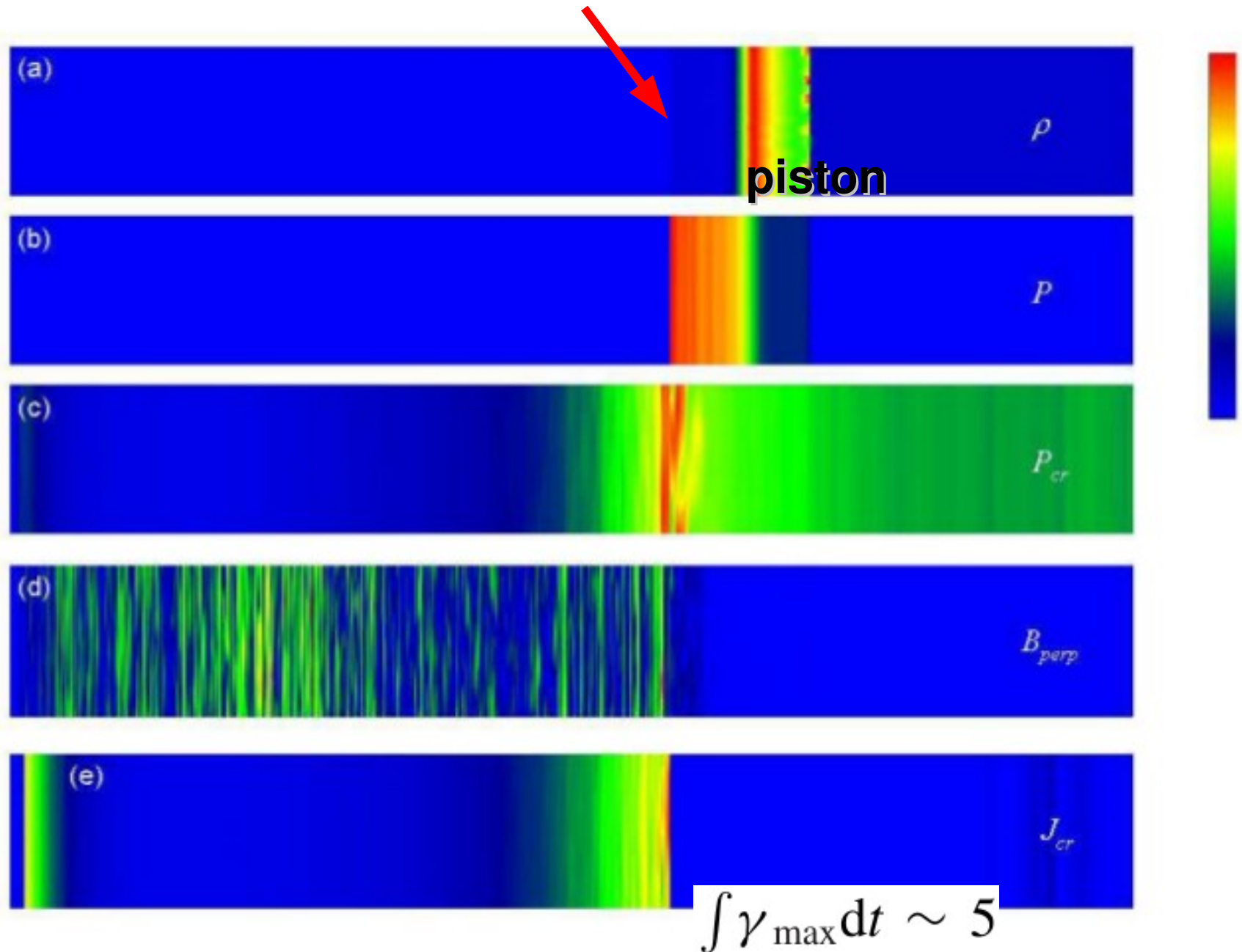
$$\frac{df}{dt} = -v_i \frac{\partial f}{\partial r_i} + p_i \frac{\partial u_j}{\partial r_i} \frac{\partial f}{\partial p_j} - \epsilon_{ijk} e v_i B_j \frac{\partial f}{\partial p_k} + C(f) \quad (8)$$

where $C(f)$ is an optional collision term included to represent scattering by magnetic fluctuations on a small scale. The electric field is zero in the local fluid rest frame.

CR acceleration and escape



CR acceleration and escape

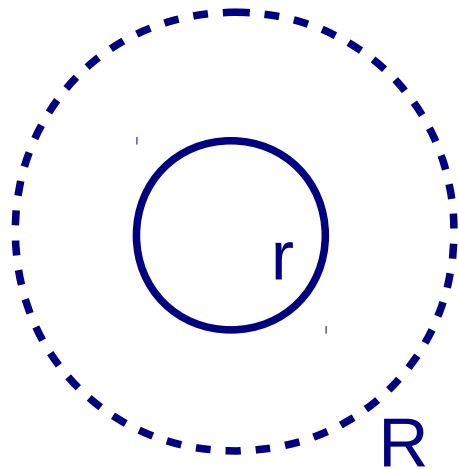


CR acceleration and escape

$$\int \gamma_{\max} dt \sim 5$$

$$Q_{\text{CR}} = \int j_{\text{CR}} dt = 10 \sqrt{\rho / \mu_0}$$

CR charge through a unit surface, upstream



The CR current density at a radius R is $j_{\text{CR}} = \eta \rho u_s^3 r^2 / R^2 T$
 (CRs accelerated to energy eT when the shock radius was r)

$$\int_0^R \frac{\eta \rho(r) u_s^2(r)}{T(r)} r^2 dr = 10 R^2 \sqrt{\frac{\rho(R)}{\mu_0}}$$

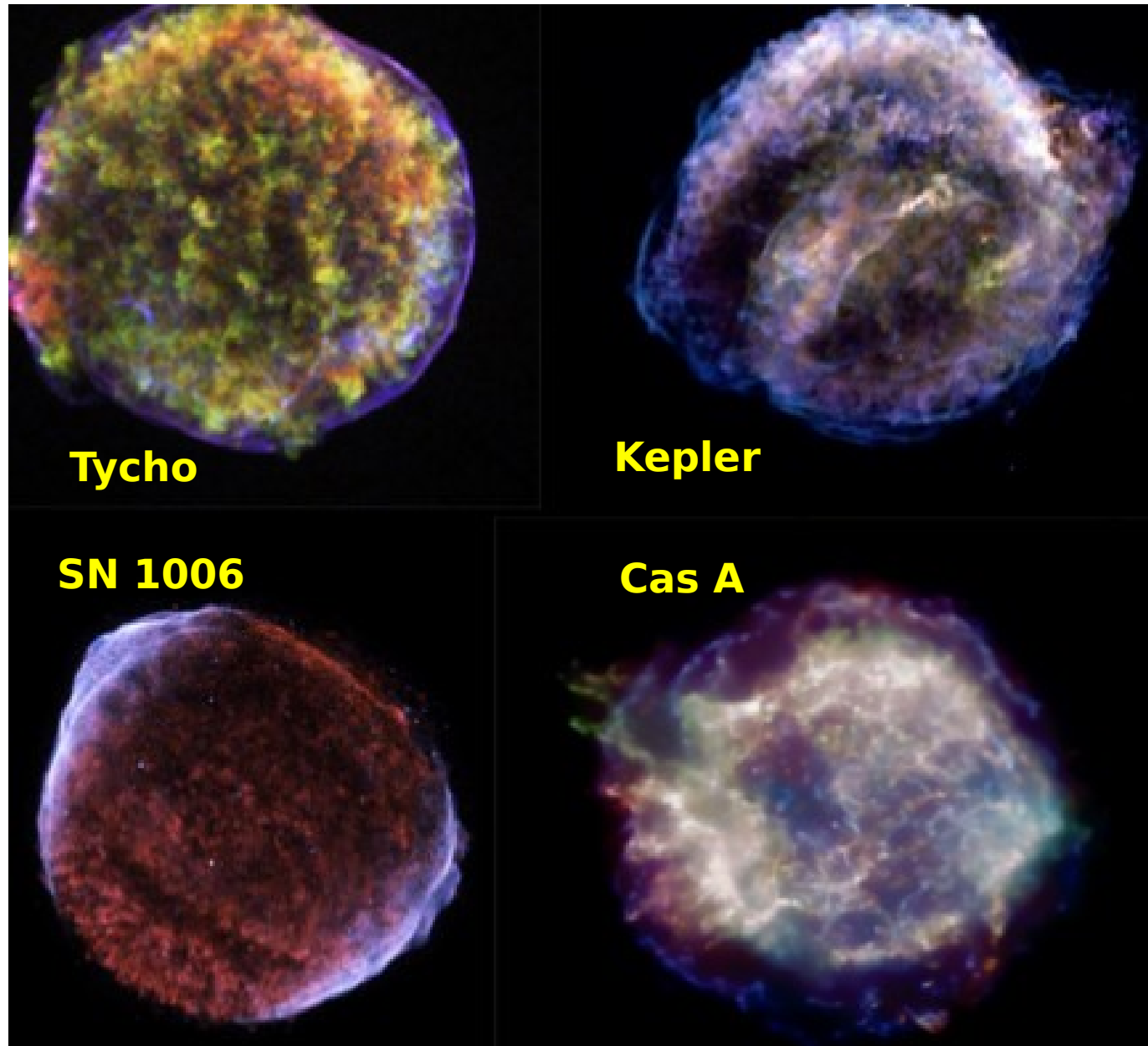
Diff. / R :

$\rho = \text{cst} \rightarrow$

$$T = 230 \eta_{0.03} n_e^{1/2} u_7^2 R_{\text{pc}} \text{ TeV}$$

Cas A : $T \approx 400 \text{ TeV} !!!$

Nowadays, historical SNRs are not accelerating particles to the knee !



Tycho

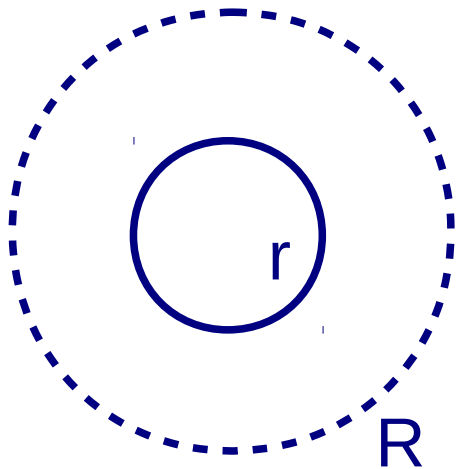
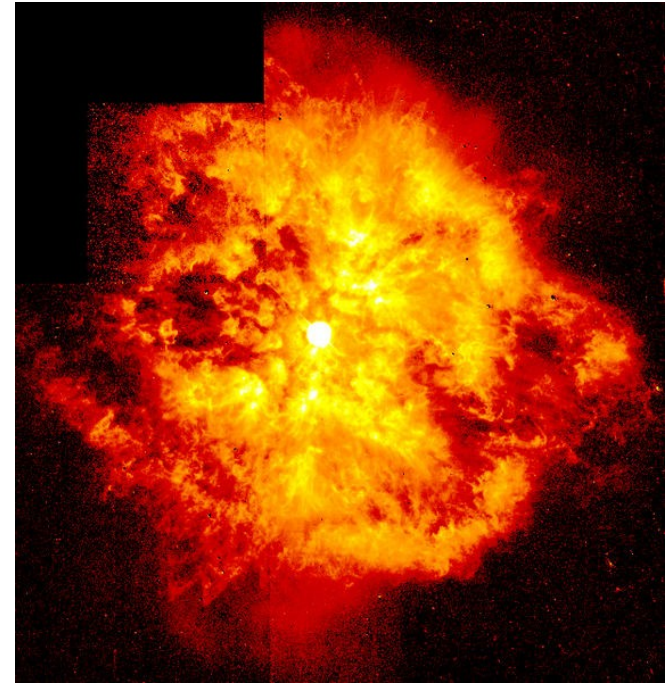
Kepler

SN 1006

Cas A

SNe in DENSE WINDS as PeVatrons

Bell et al. MNRAS 431, 415
(2013)



$$\int_0^R \frac{\eta \rho(r) u_s^2(r)}{T(r)} r^2 dr = 10 R^2 \sqrt{\frac{\rho(R)}{\mu_0}}$$

Diff. / R :

$$\rho \propto r^{-2} \rightarrow$$

$$T = 760 \eta_{0.03} u_7^2 \sqrt{\frac{\dot{M}_5}{v_4}} \text{ TeV}$$

Radio SNe

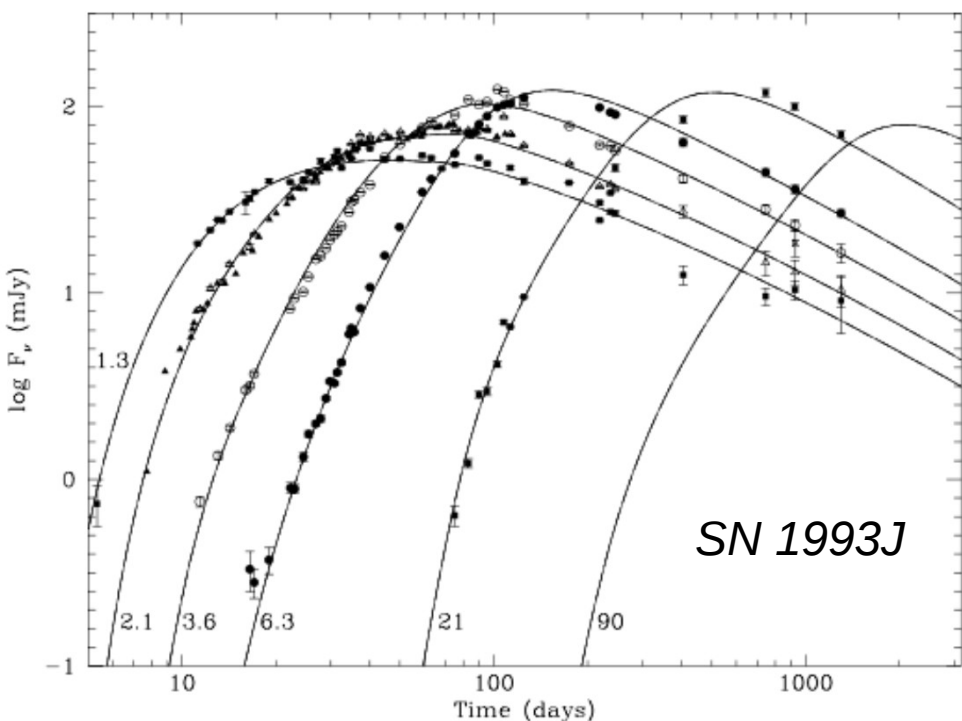
THE ASTROPHYSICAL JOURNAL, 509: 861–878, 1998 December 20

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RADIO EMISSION AND PARTICLE ACCELERATION IN SN 1993J

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Received 1998 April 27; accepted 1998 July 27



ABSTRACT

discussed. We find that a fit to the individual spectra by a model including free-free absorption and synchrotron self-absorption, gives a good fit to the data. A standard r^{-2} circumstellar medium is assumed. From the flux and cutoff wavelength, the magnetic field in the shock is determined to be $B \approx 64(R_s/10^{15} \text{ cm})^{-1} \text{ G}$. The strength of the magnetic field amplification behind the shock is ~ 0.14 . Synchrotron losses dominate the cooling of the electrons. The ratio of the magnetic and thermal photon energies is less important. For most of the spectrum, a model where a constant fraction of the shocked, relativistic electrons radiate, and subsequently lose their energy due to synchrotron emission, fits the data well. The ratio of the flux and number of relativistic electrons is consistent with diffusive shock acceleration. The injected energy is strongly connected to the deceleration of the shock wave. The ratio of the synchrotron flux, if extrapolated to $\gamma \sim 1$, is $\sim 5 \times 10^{-4}$ of the thermal energy density, ρV^2 , rather than $\sim 5 \times 10^{-4}$ of the thermal energy density. The ratio of the synchrotron flux to the thermal energy density required is consistent with previous calculations of the circum-

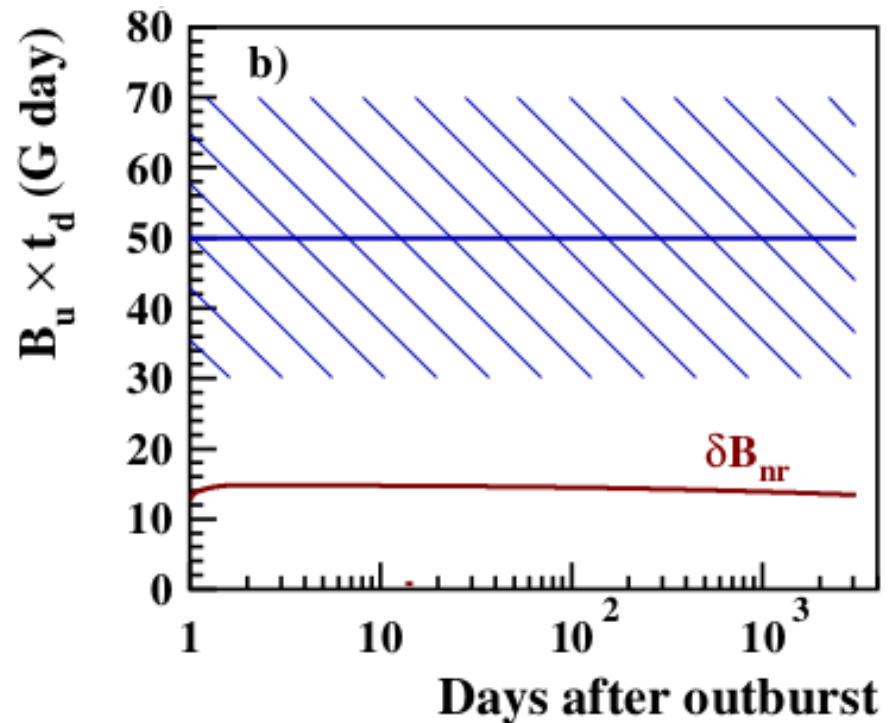
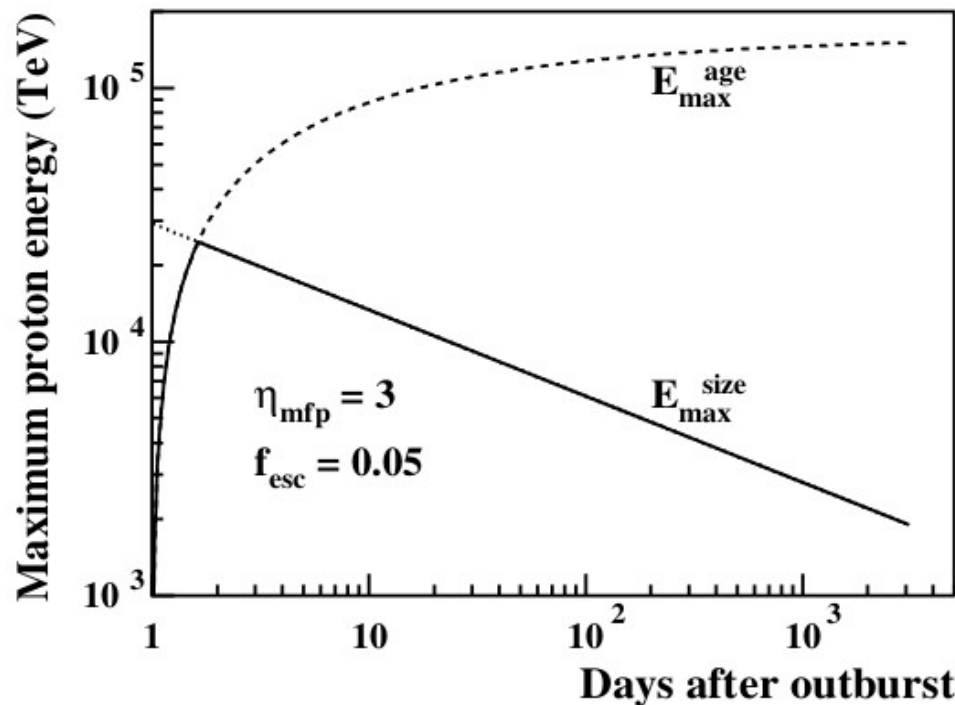
Radio SNe

Astronomy & Astrophysics manuscript no. sn1993j
February 18, 2013

© ESO 2013

Radio emission and nonlinear diffusive shock acceleration of cosmic rays in the supernova SN 1993J

V. Tatischeff



$$E_{\text{CR}} \cong \int_{t_0}^{t_f} \epsilon_{\text{nt}} \times \frac{1}{2} \rho_u V_s^3 \times 4\pi R_s^2 dt = 7.4 \times 10^{49} \text{ erg},$$

Fermi : $< \sim 1 \text{ Mpc}$

Interaction-powered SNe

Monthly Notices

of the

ROYAL ASTRONOMICAL SOCIETY

MNRAS 440, 2528–2543 (2014)



doi:10.1093/mnras/stu384

Probing cosmic ray ion acceleration with radio-submm and gamma-ray emission from interaction-powered supernovae

Kohta Murase,^{1★} Todd A. Thompson^{2,3} and Eran O. Ofek⁴

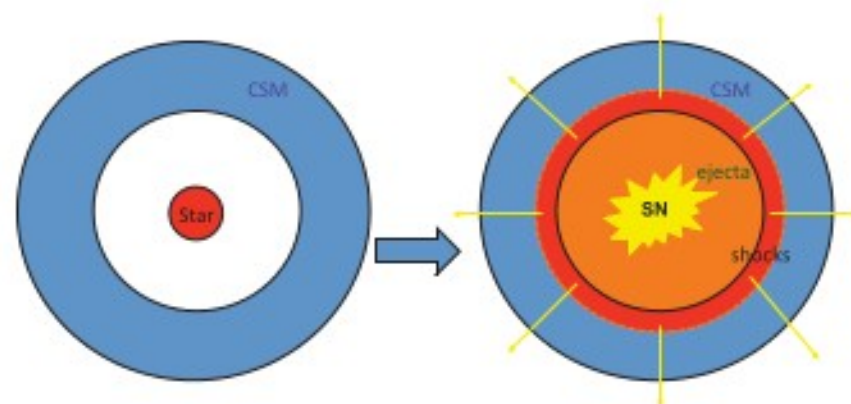
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Accepted 2014 February 23. Received 2014 February 20; in original form 2013 December 2

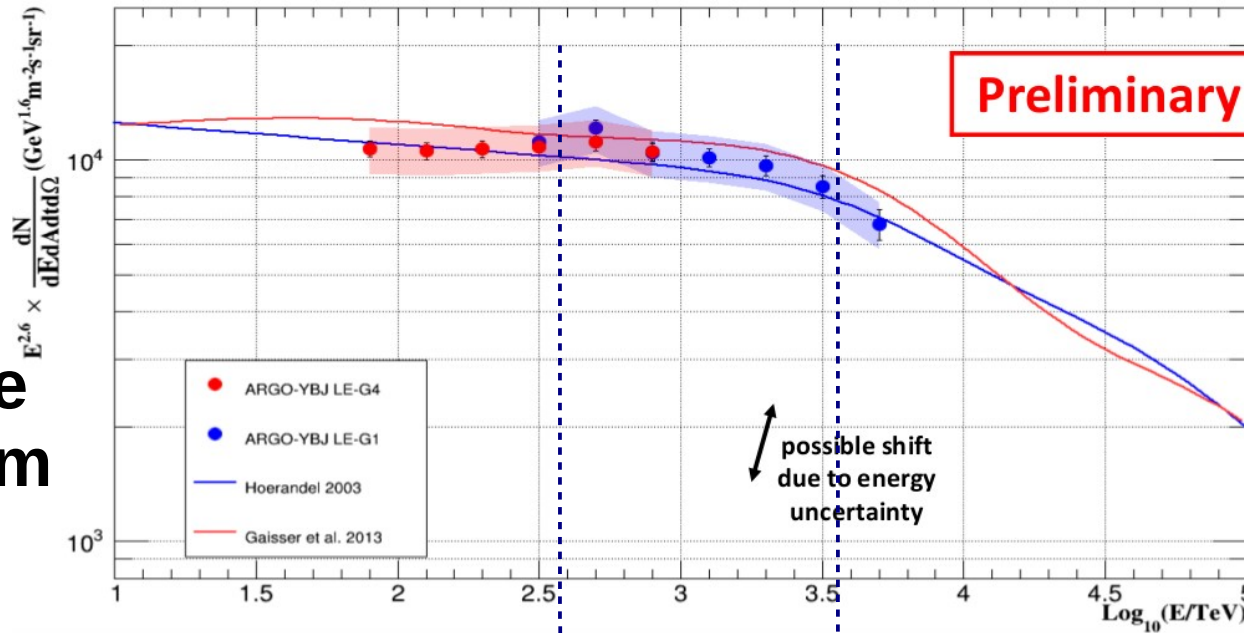


ABSTRACT

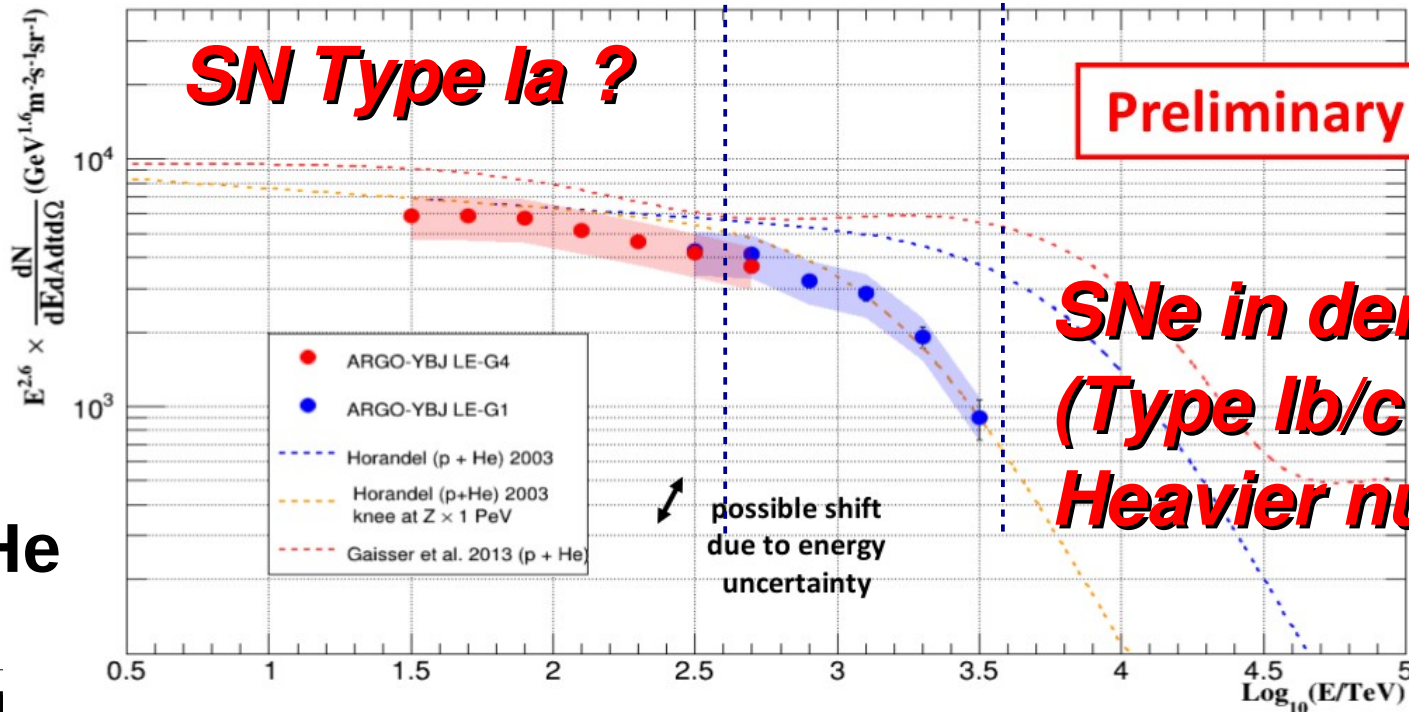
The optical and near-IR emission from some classes of supernovae (SNe), including Type II_n and possibly some super-luminous SNe, is likely powered by a collision between the SN ejecta and dense circumstellar material (CSM). We argue that for a range of CSM masses and their

ARGO-YBJ : cutoff at ~ 700 TeV

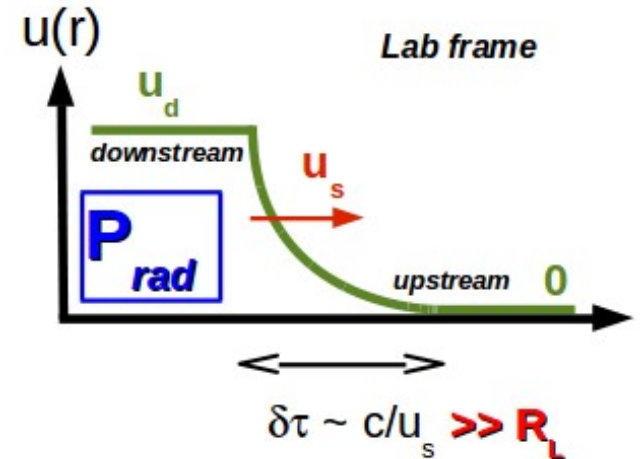
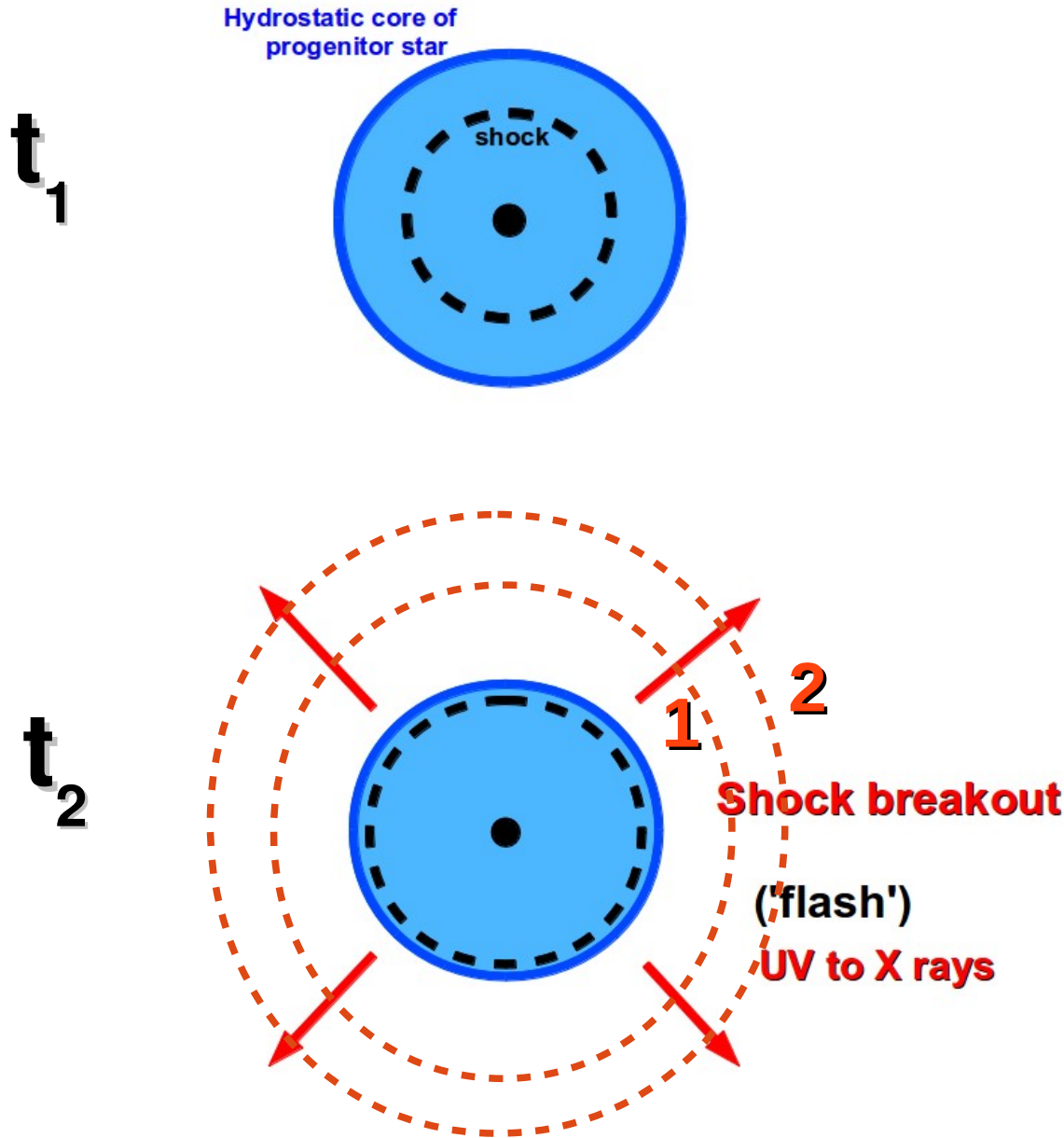
All-particle spectrum



p+He

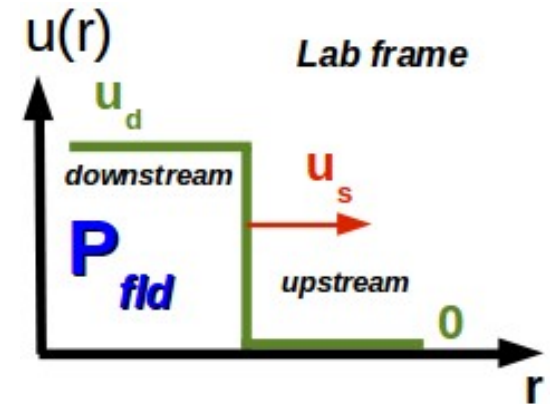


Formation of a collisionless shock

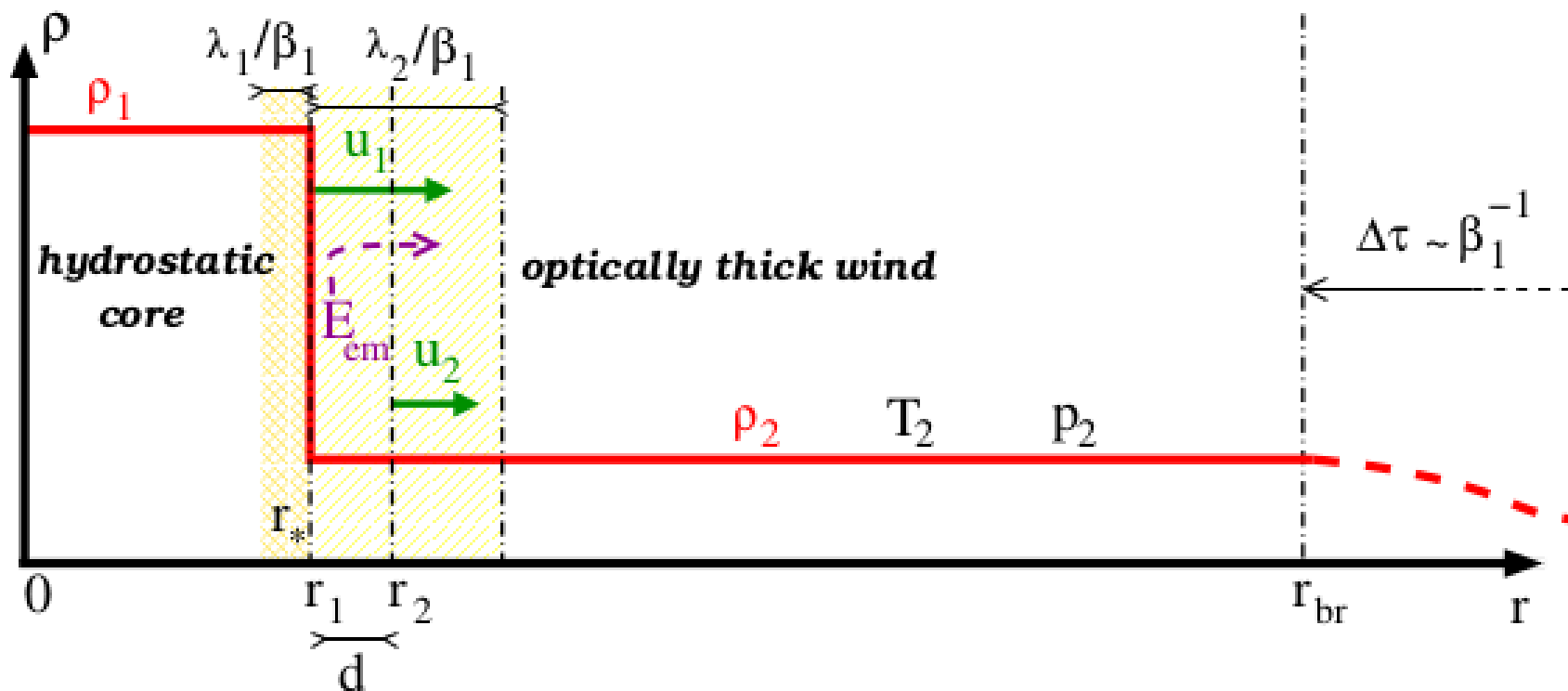


Radiation-Mediated shock

No CR acceleration



$$u_{\max,\gamma} = \kappa \int_{t_{br}}^{\infty} \mathcal{F}_{rad} dt / c < \kappa \int_{t_{br}}^{\infty} \mathcal{L} dt / 4\pi c r_i^2 \propto r_i^{-2} \quad (\mathcal{L} : \text{SN luminosity})$$



The shell at r_2 cannot be accelerated by photons to a velocity larger than :

$$u_2 \leq u_1 \left(\frac{r_*}{r_* + d} \right)^2 + \frac{\kappa}{c} \frac{E_{\text{em}}}{4\pi(r_* + d)^2} \quad , \quad \text{where} \quad E_{\text{em}} \simeq \int_{r_*}^{r_*+d} 4\pi r^2 \frac{\rho_2}{2} u_1^2 dr$$

$$u_2 < u_1 \Rightarrow$$

$$\beta_1 \lesssim 10 \tilde{\lambda}_2 = 0.1 \left(\frac{u_w}{10 \text{ km/s}} \right) \left(\frac{r_*}{10^{13} \text{ cm}} \right) \left(\frac{\dot{M}}{5 \cdot 10^{-4} M_\odot/\text{yr}} \right)^{-1}$$

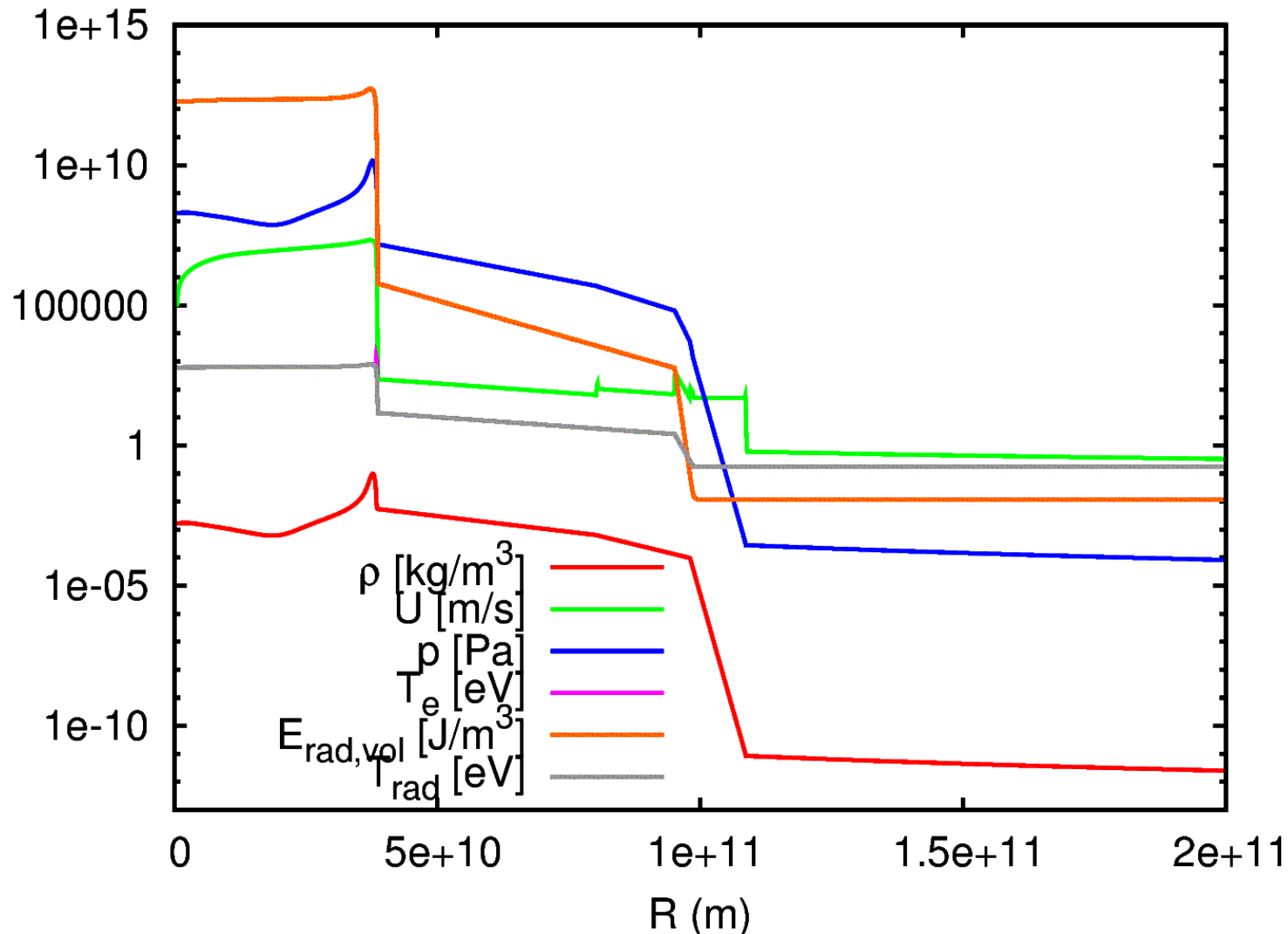
Progenitor with an optically THIN wind

1D – spherical

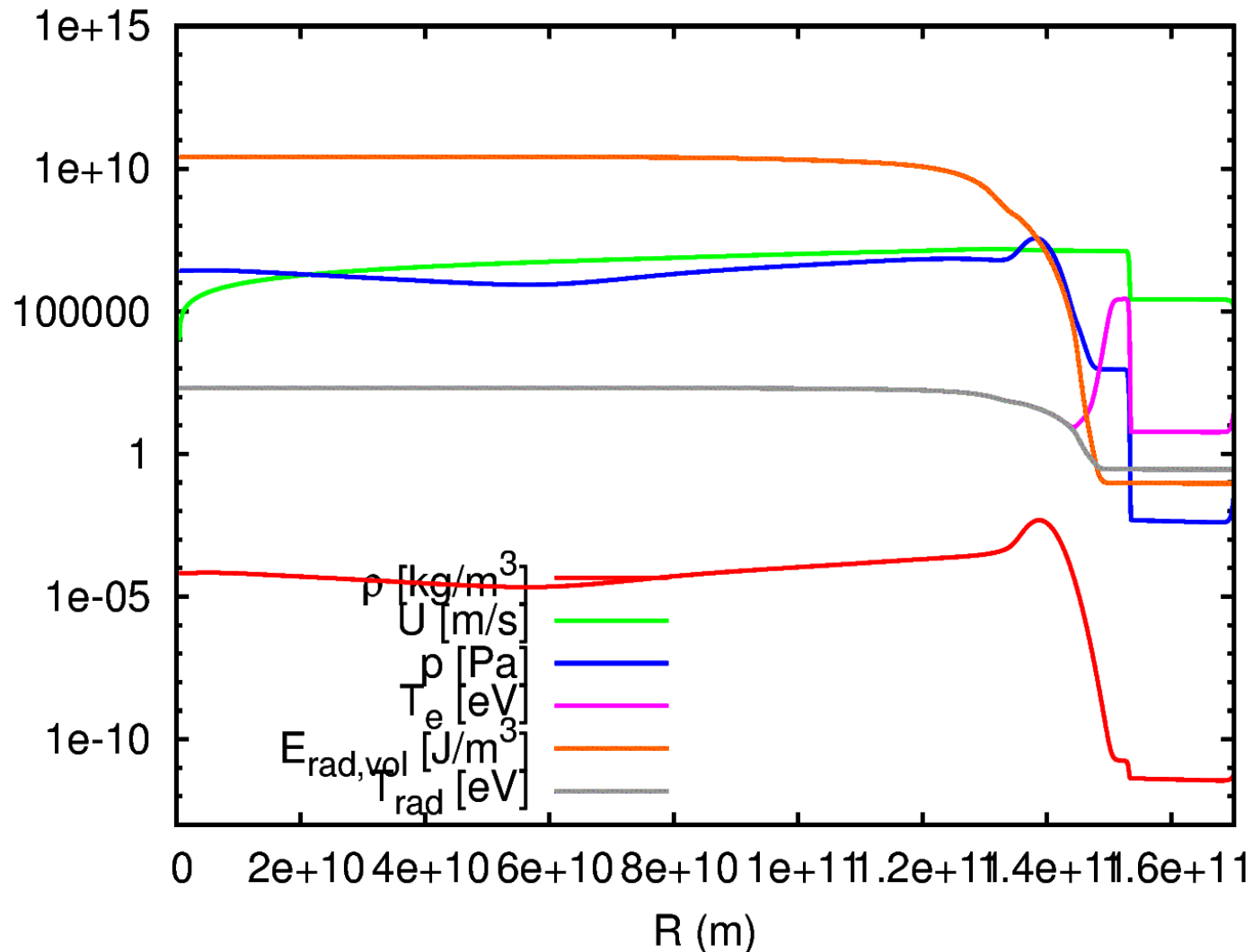
$$T_e = T_p, \text{ but } T_e \neq T_{\text{rad}}$$

Compton cooling + Bremsstrahlung

Thomson scattering

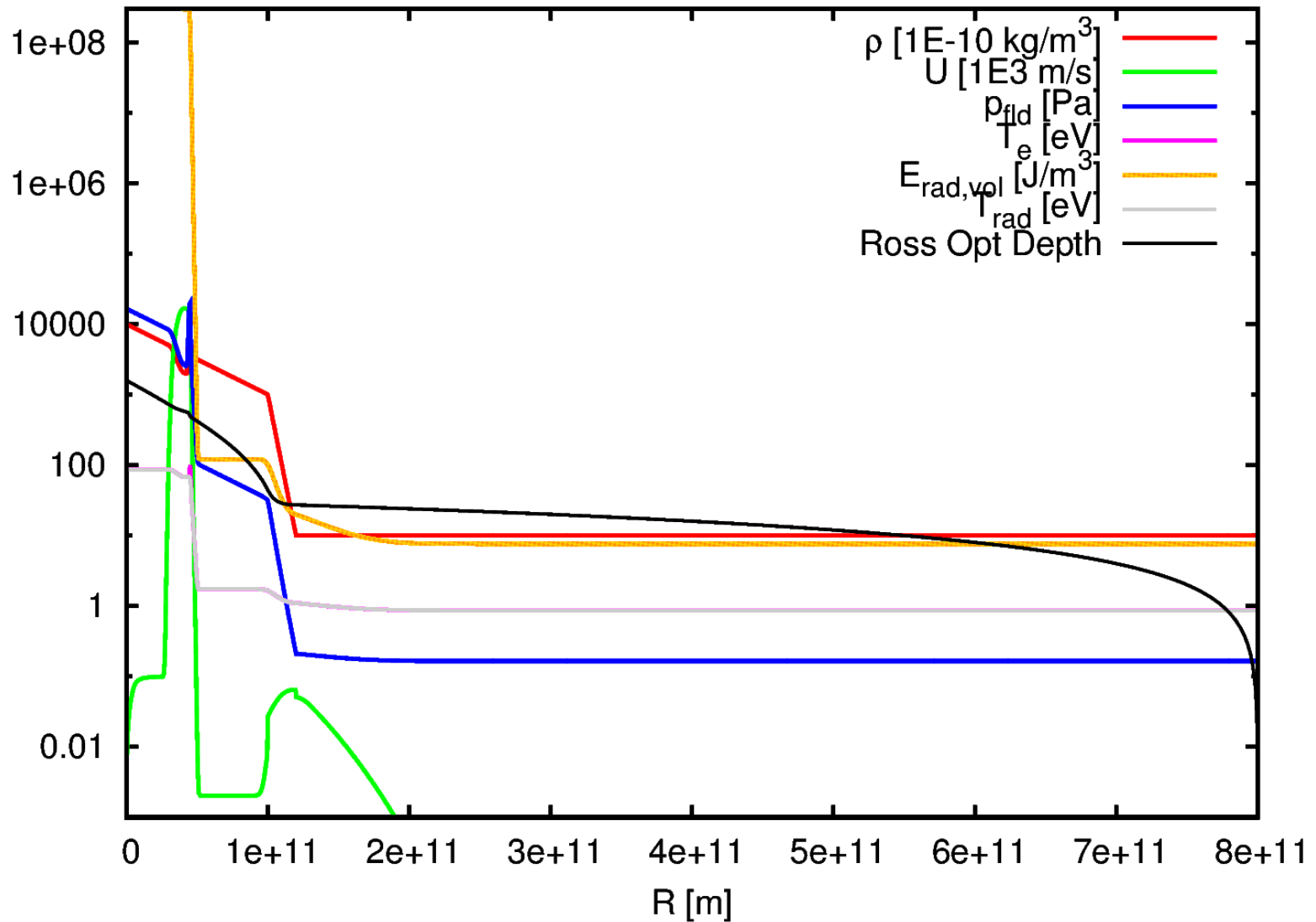


Progenitor with an optically THIN wind



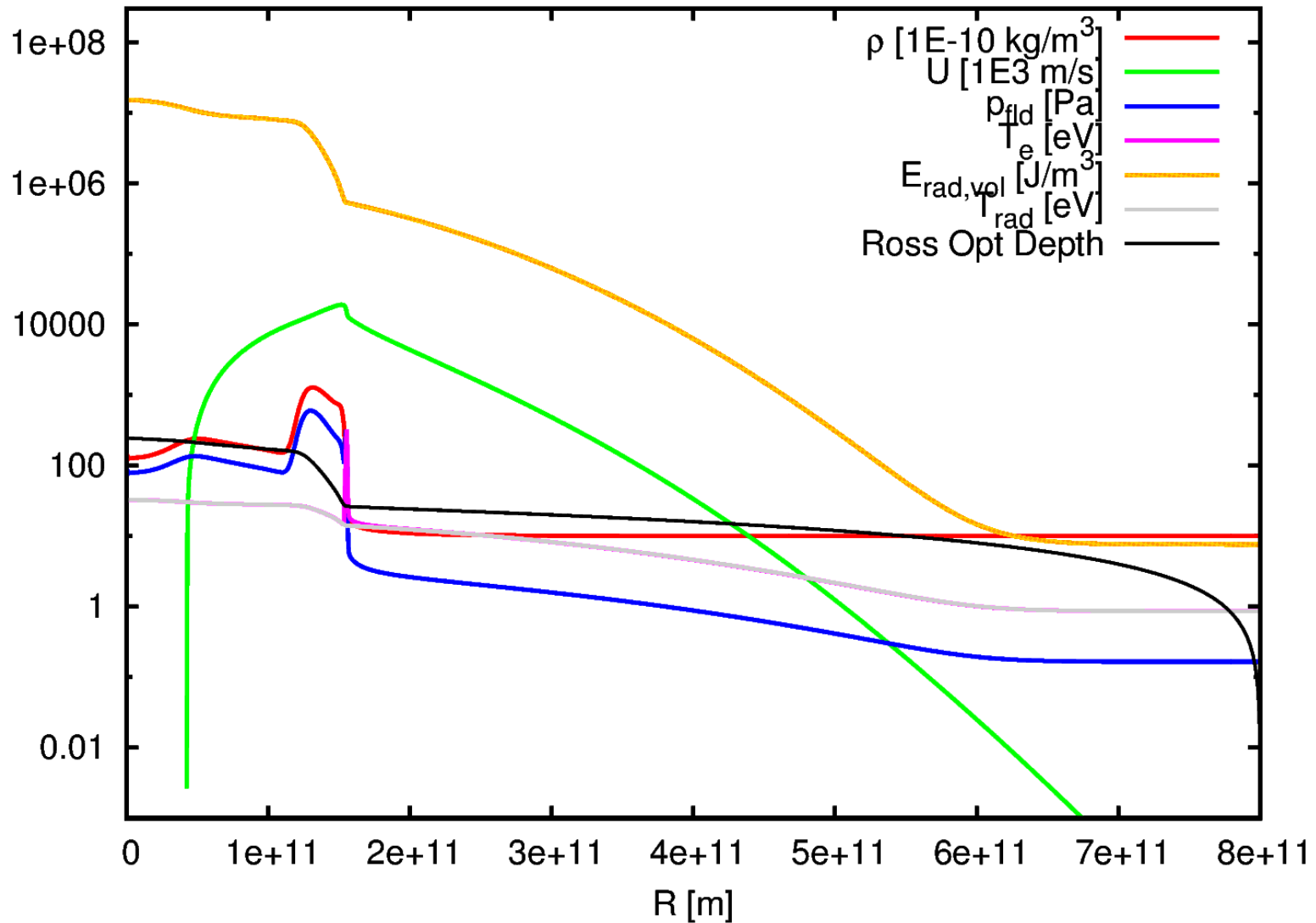
Progenitor with an optically THICK wind

Spherical 1D



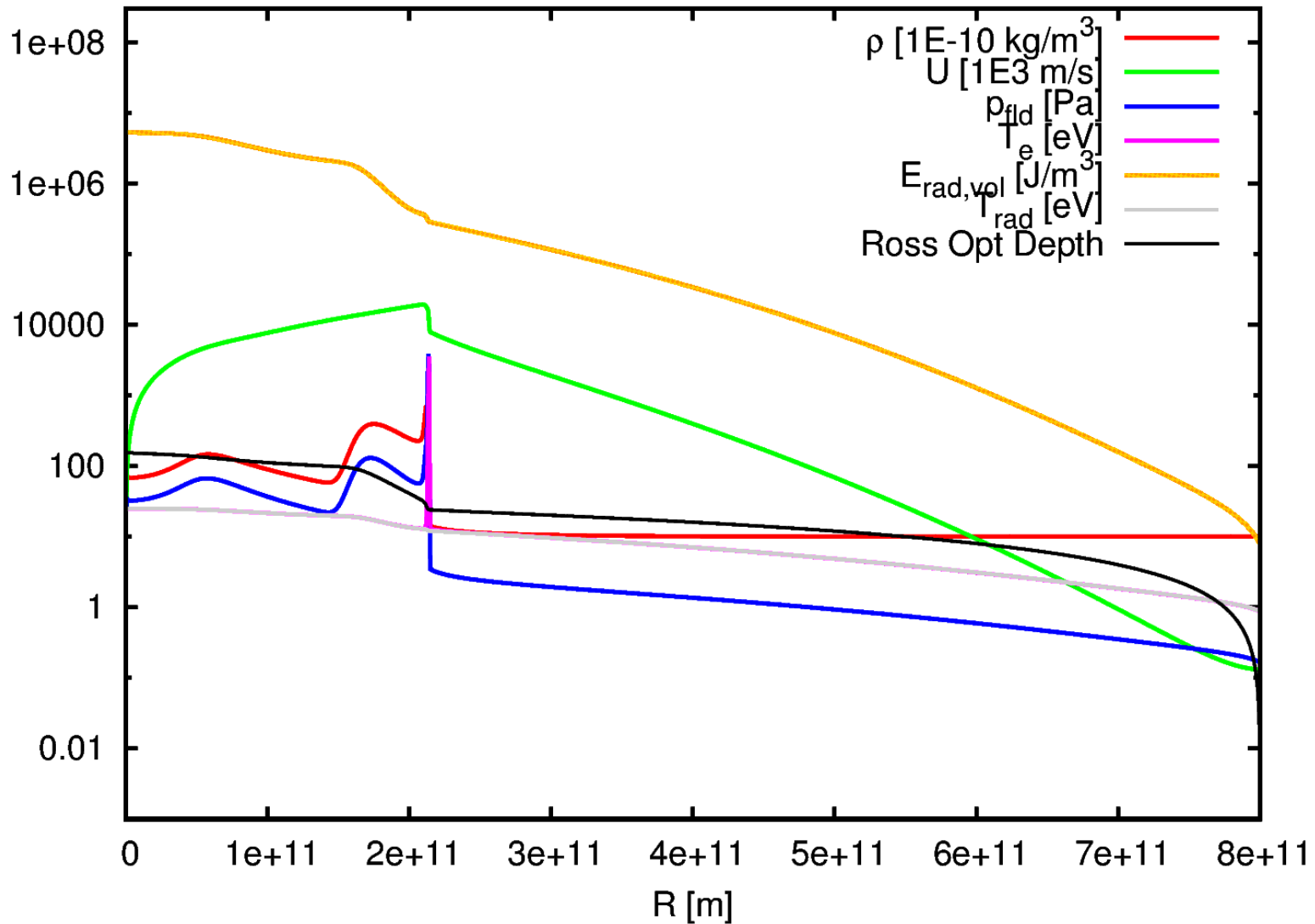
Progenitor with an optically THICK wind

Spherical 1D



Progenitor with an optically THICK wind

Spherical 1D



Observational consequences

- 1 – 10 TeV CRs possible before breakout :

$$\tau_{\text{CR}} = 8E_{\text{CR}}/3eB_s u_s^2 \approx 30 \text{ s} \left(\frac{E_{\text{CR}}}{10 \text{ TeV}} \right) \left(\frac{B_s}{10 \text{ G}} \right)^{-1} \left(\frac{\beta_s}{0.1} \right)^{-2}$$

$$\tau_{\text{pp}} \simeq m_p/0.2c\rho\sigma_{\text{pp}} \approx 4 \text{ min} \left(\frac{u_w}{10 \text{ km/s}} \right) \left(\frac{r}{10^{13} \text{ cm}} \right)^2 \left(\frac{\dot{M}}{5 \cdot 10^{-4} M_{\odot}/\text{yr}} \right)^{-1}$$

$$\tau_{\text{p}\gamma} \simeq 1/0.2cn_{\gamma}\sigma_{\text{p}\gamma} \gtrsim 2 \text{ min} \left(\frac{u_w}{10 \text{ km/s}} \right) \left(\frac{r}{10^{13} \text{ cm}} \right)^2 \left(\frac{\dot{M}}{5 \cdot 10^{-4} M_{\odot}/\text{yr}} \right)^{-1} \left(\frac{\beta_s}{0.1} \right)^{-2} \left(\frac{E_{\text{CR}}}{10 \text{ TeV}} \right)^{-1}$$

(For 10 TeV CRs, $\gtrsim 10 \text{ keV}$)

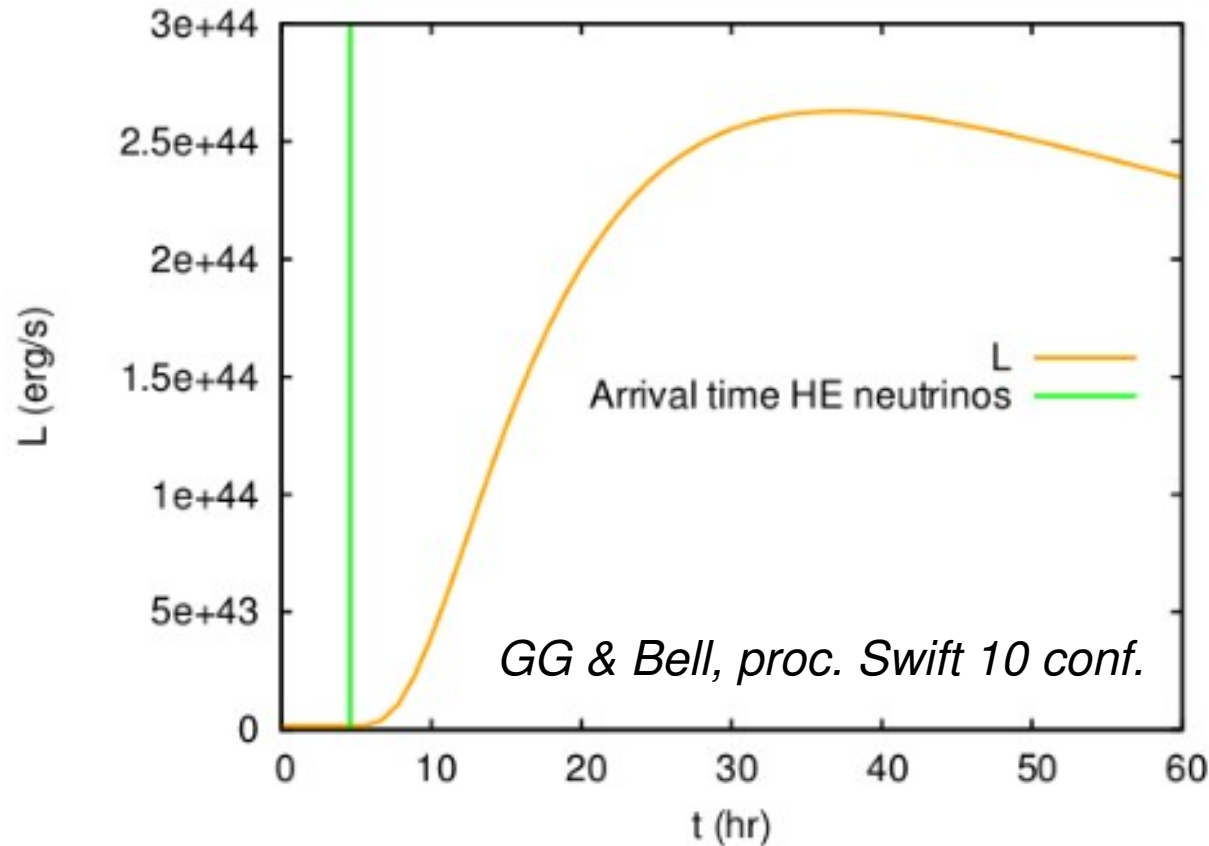
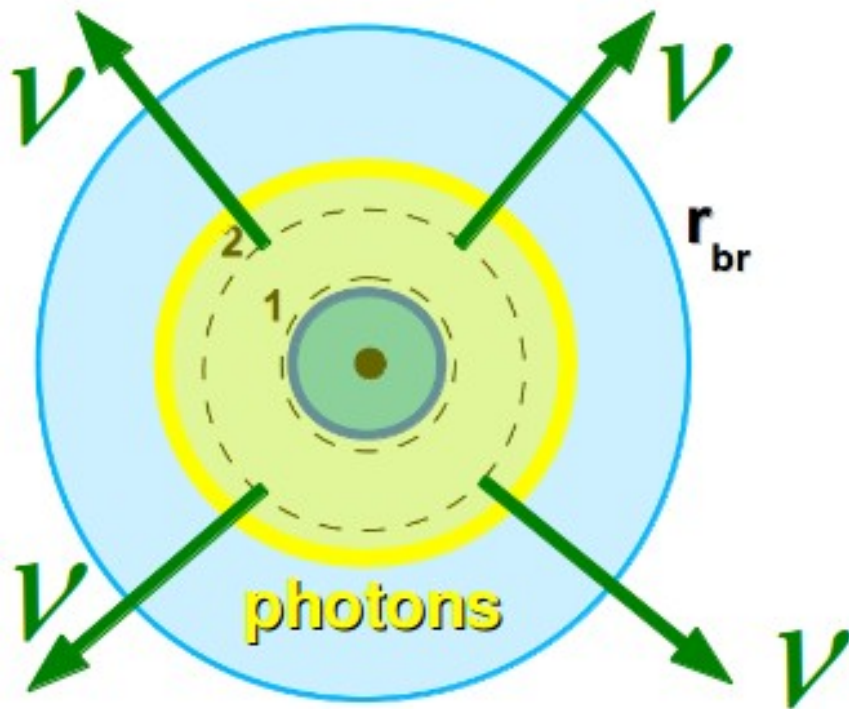
$\gtrsim (1 - 10) \text{ TeV CRs should be produced}$

Observational consequences

(1)

Neutrinos with energy $E_\nu > 100 \text{ GeV} - 1 \text{ TeV}$ (π^\pm decay) arrive before the first photons from SB.

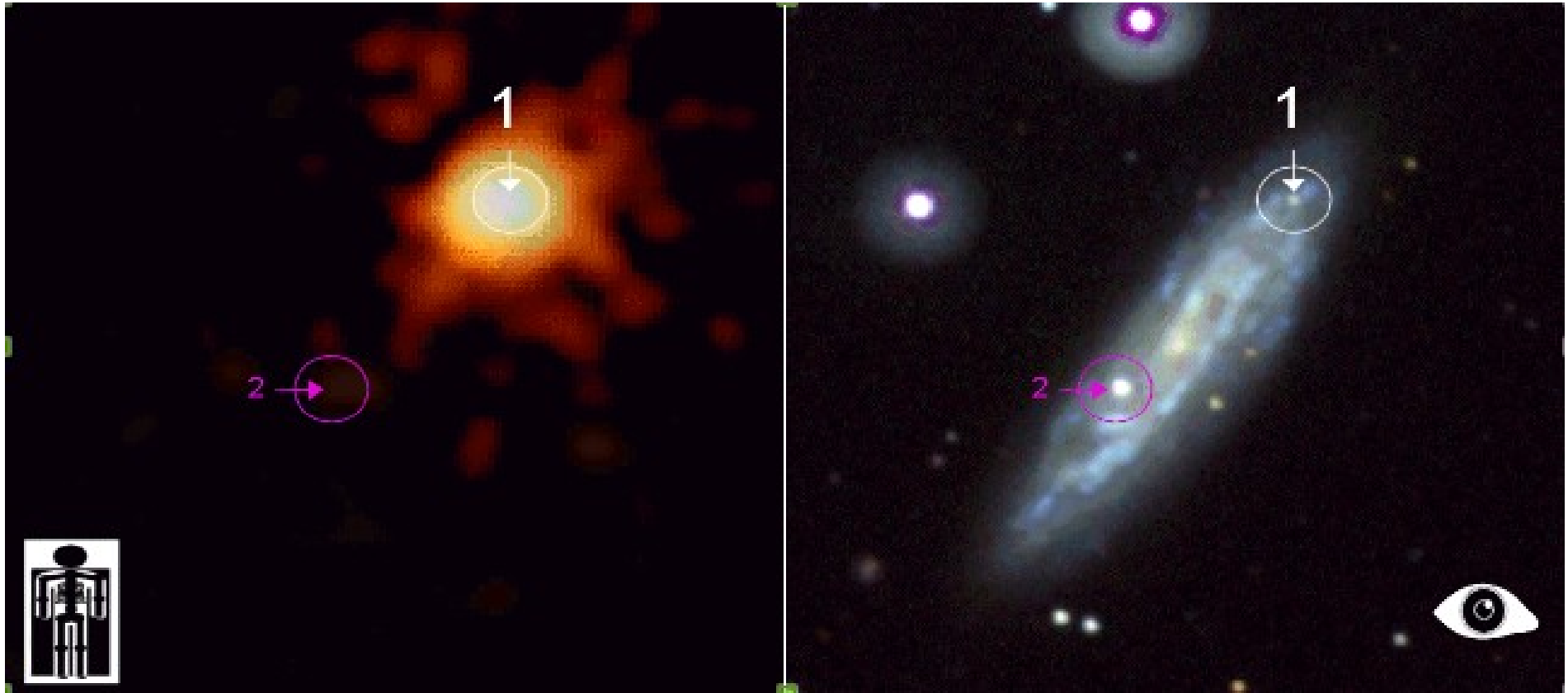
Typically $\sim 10^3 (3 \text{ kpc}/l)^2$ neutrinos (distance l , $r_{\text{br}} = 10 r_*$, $0.1c$, $10^{-5} M_\odot$ processed at $r < r_{\text{br}}$).



(2) X-Ray Flash

If one uses the parameters of Svirski & Nakar, ApJL (2014)...

SN 2008D / XRF 080109 may have been an event in which a CS is formed before SB



Conclusions and perspectives

- Tight link between CR Escape / E_{max} / MF amplification
- Type Ia fall short of reaching the knee
- First few decades of SNe in dense winds promising to reach knee and beyond
- First few decades of SNe in dense winds very promising
-> Need to search for HE neutrino / (LE) γ -rays from SNe

- Optically thick winds : CS can form **before** breakout
- Observational consequences :
 - X-ray flashes
 - $E > 100$ GeV neutrinos \rightarrow Probe of the poorly known optically thick regions of circumstellar winds