| Stem Questions to Promote the 8 Mathematical Practices |  |  |
| :---: | :---: | :---: |
| Math Practices | Proficiency Matrix* | Questions to Promote** |
| Make Sense of Problems \& persevering in solving them Encouraging students to continue working | 1. Explain their processes in solving a problem one way <br> 2. Explain their thought processes in solving a problem and representing it in several ways <br> 3. Discuss, explain, and demonstrate solving a problem with multiple representations and in multiple ways <br> 1. Stay with a problem for more than one attempt <br> 2. Try several approaches in finding a solution, and only seek hints if stuck <br> 3. Struggle with various attempts over time, and learn from previous solution attempts | - What do you think about what $\qquad$ said? <br> - Do you agree? Why or why not? <br> - Does anyone have the same answer but a different way to explain it? <br> - Do you understand what $\qquad$ is saying? <br> - Have you compared your work with anyone else's? <br> - What did other members of your group try? <br> - How would you describe the problem in your own words? <br> -What do you know that is not stated in the problem? <br> - How do you tackle similar problems? <br> - Could you try it with different numbers? <br> - What about putting things in order? |
| Reason abstractly and quantitatively Checking for student understanding | 1. Reason with models or pictorial representations to solve problems <br> 2. Are able to translate situations into symbols for solving problems <br> 3. Convert situations into symbols to appropriately solve problems as well as convert symbols into meaningful situations | - Can you explain what you have done so far? <br> - What else is there to do? <br> - Why did you decide to use this method? <br> - Can you think of another method that might have worked? <br> - Is there a more efficient strategy? <br> - What did you notice? <br> - Why did you decide to organize your results like that? <br> - Do you think this may work with other numbers? <br> - Have you thought of all the possibilities? How can you be sure? |
| Construct viable arguments \& critiquing the reasoning of others Build confidence to help students rely on their own understanding | 1. Explain their thinking for the solution they found <br> 2. Explain their own thinking and thinking of others with accurate vocabulary <br> 3. Justify and explain, with accurate language and vocabulary, why their solution is correct. <br> 1. Understand and discuss other ideas and approaches <br> 2. Explain other students/solutions and identify strengths and weaknesses of the solution <br> 3. Compare and contract various solution strategies and explain the reasoning of others | - How did you reach that conclusion? <br> - Does that make sense? <br> - Can you make a model to show that? <br> - Why is that true? |
| Model with mathematics | 1. Use models to represent and solve a problem, and translate the solution to mathematical symbols <br> 2. Use models and symbols to represent and solve a problem, and accurately explain the solution representation <br> 3. Use a variety of models, symbolic representations, and technology tools to demonstrate a solution to a problem | - Would it help to create a diagram? Draw a picture? Make a table? <br> - Can you guess and check? |
| *Proficiency Matrix Key: 1 = Initial Stage $2=$ |  | = Intermediate Stage 3=Advance Stage |
| *Mathleadership.com (LCM2011 Hull, Balka, and Harbin Miles) **Pearson Stem |  | stion Cards |


| Math Practices | Proficiency Matrix | Questions to Promote |
| :---: | :---: | :---: |
| Use appropriate tools strategically | 1. Use the appropriate tool to find a solution <br> 2. Select from a variety of tools the ones that can be used to solve a problem, and explain their reasoning for the selection <br> 3. Combine various tools, including technology, explore and solve a problem as well as justify their tool selection and problem solution | -What tool could you use to find your answer? <br> - Is there another tool you could use? <br> -Why did you use this method to solve the problem? |
| Attend to precision Encouraging reflection | 1. Communicate their reasoning and solution to others <br> 2. Incorporate appropriate vocabulary and symbols in others <br> 3. Use appropriate symbols, vocabulary, and labeling to effectively communicate and exchange ideas | - How did you get your answer? <br> - Does your answer seem reasonable? Why or why not? <br> - Can you describe your method to us all? Can you explain why it works? <br> - What if you had started with $\qquad$ rather than $\qquad$ ? <br> - What if you could only use $\qquad$ ? <br> - What have you learned or found out today? <br> - Did you use or learn any new words today? What do they mean? <br> - What are the key points or big ideas in this lesson? |
| Look for and make use of structure Making connections between other mathematical ideas and applications | 1. Look for structure within mathematics to help them solve problems efficiently (such as $2 \times 7 \times 5$ has the same value as $2 \times 5 \times 7$, which is ( $2 \times 7$ ( $x 5$, the student can mentally calculate $10 \times 7$. <br> 2. Compose and decompose number situations and relationships through observed patterns in order to simplify solutions <br> 3. See complex and complicated mathematical expressions as component parts | - How does this relate to...? <br> - What concepts that we have learned before were useful in solving this problem? <br> -What uses of mathematics did you find in the newspaper last night? <br> - Can you give an example of...? |
| Look for and express regularity in repeated reasoning Help students to reason mathematically | 1. Look for obvious patterns, and use iftthen reasoning strategies for obvious patterns <br> 2. Find and explain subtle patterns <br> 3. Discover deep, underlying relationships, i.e. uncover a model or equation that unifies the various aspects of a problem such as discovery of an underlying function. | - Is that true for all? Explain <br> - Can you think of a counter example? <br> - How would you prove that? <br> - What assumptions are you making? |

[^0]
[^0]:    *Proficiency Matrix Key:
    *Mathleadership.com (LCM2011 Hull, Balka, and Harbin Miles)

    $$
    1 \text { = Initial Stage }
    $$

    2= Intermediate Stage
    3=Advance Stage

