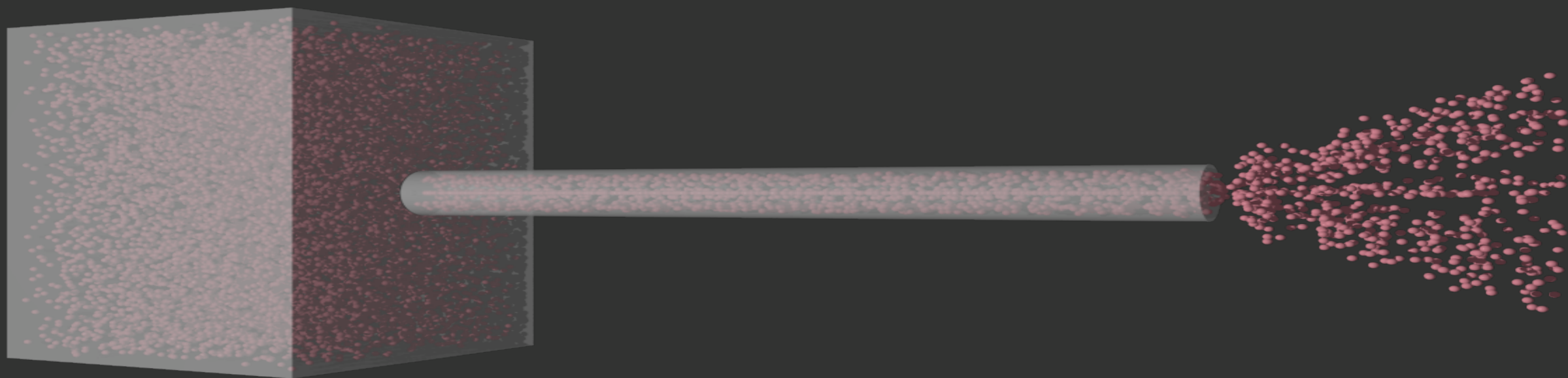


1D Helium Systems

Grand Challenges in Quantum Fluids and Solids



Adrian Del Maestro
University of Vermont

Classical Fluid Flow



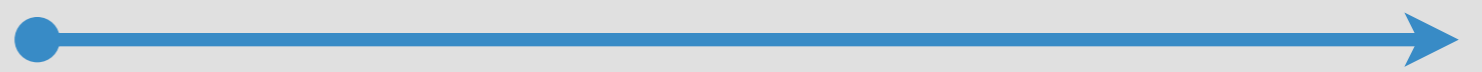
Hagen-Poiseuille Law

$$Q = \frac{\pi \rho R^4}{8\eta L} \Delta P$$

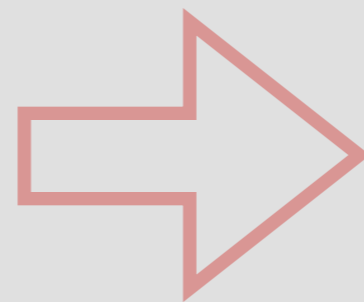


for a viscous fluid: $Q \rightarrow 0$ as $R \rightarrow 0$

In the 1D Euler limit:



$$\frac{\partial v}{\partial t} + v \frac{\partial v}{\partial x} + \frac{1}{\rho} \frac{dP}{dx} = 0$$

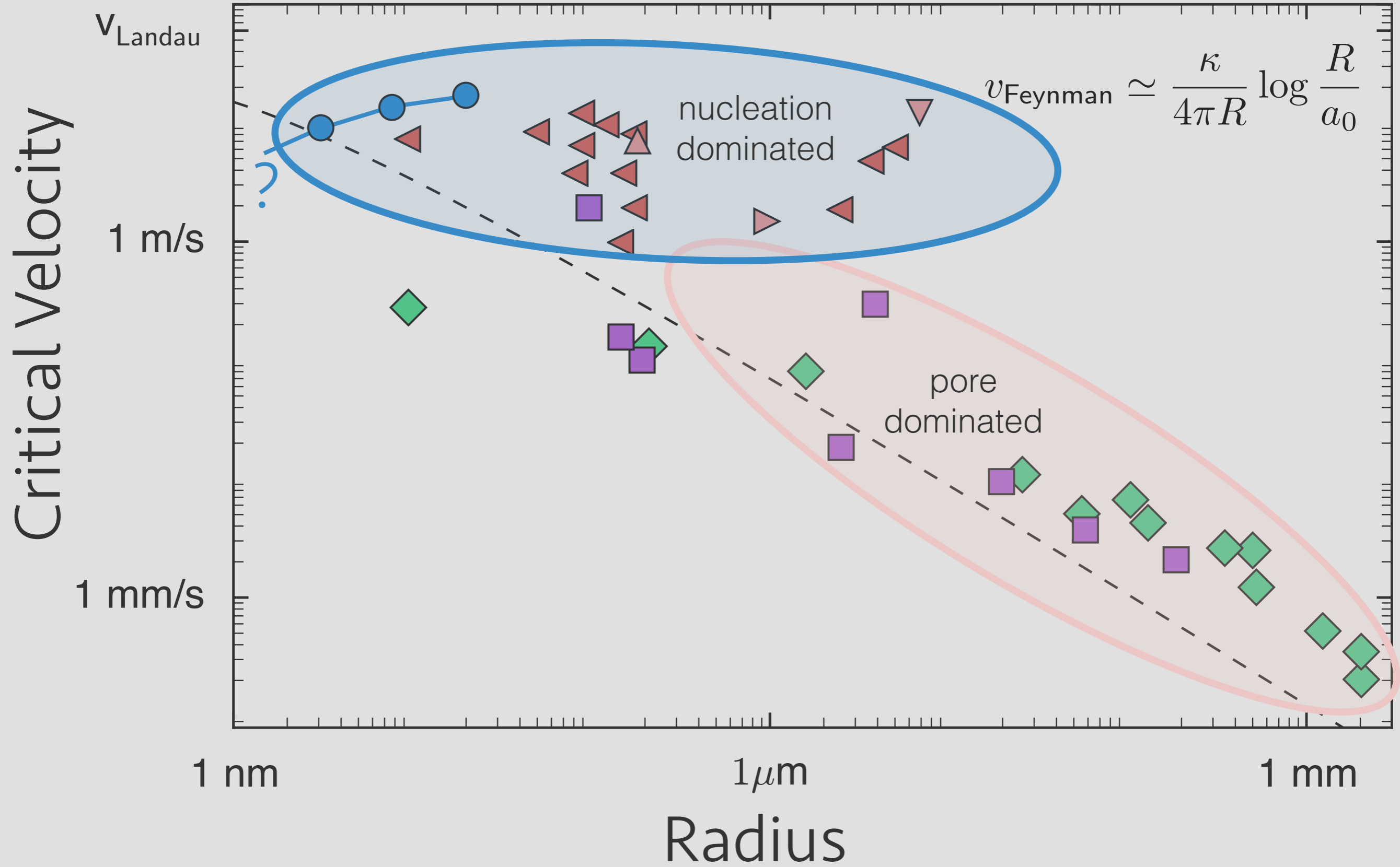


$$v = \sqrt{\frac{2\Delta P}{\rho}}$$

max velocity for classical inviscid flow

Quantum Fluid Flow

E. Varoquaux, arXiv:1406.5629



Why do we want to get smaller?

1

Entering previously inaccessible physical regimes can lead to the discovery of new and useful phenomena.

2

Need more data to construct a theory for the pore \Rightarrow nucleation dominated dissipative crossover as $R \rightarrow 0$.

3

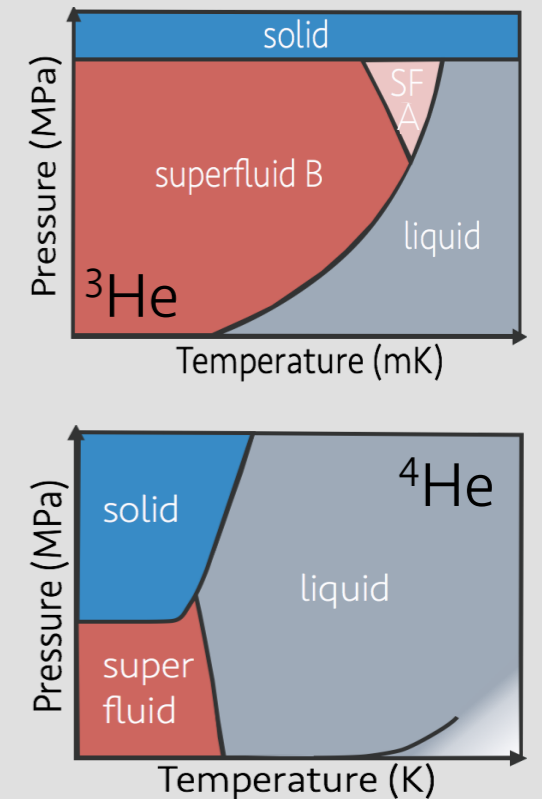
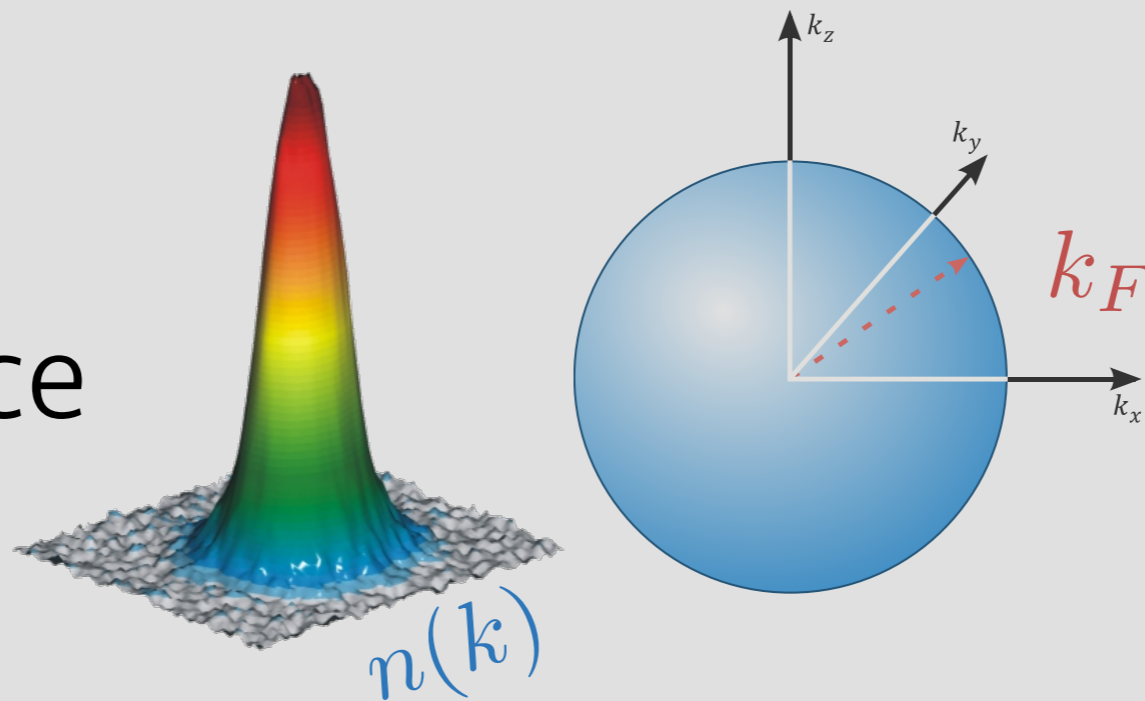
Experimental discovery of a high density & strongly interacting Tomonaga-Luttinger liquid

Universal Physics in 1D



All excitations are collective \Rightarrow no quasiparticle description.

Bose-Fermi
correspondance



no long range order \Rightarrow correlations are algebraic

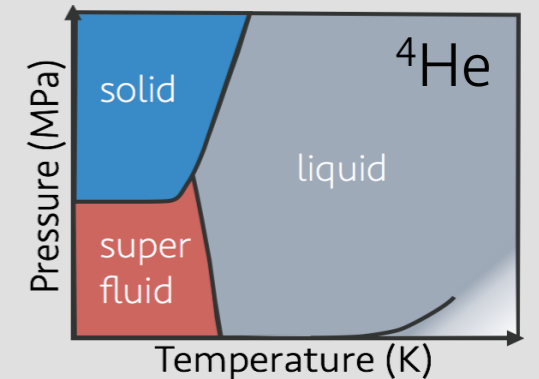
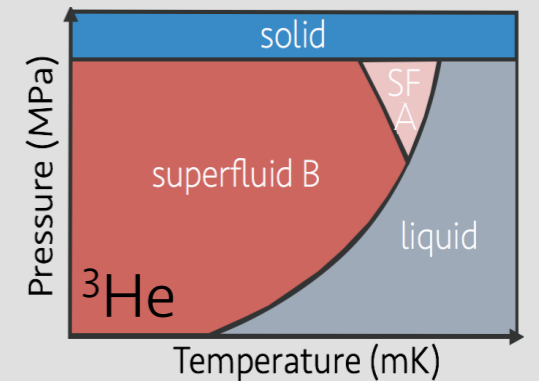
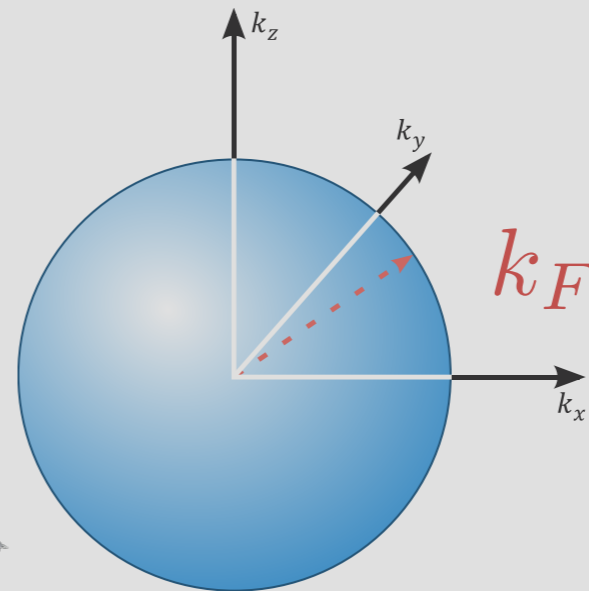
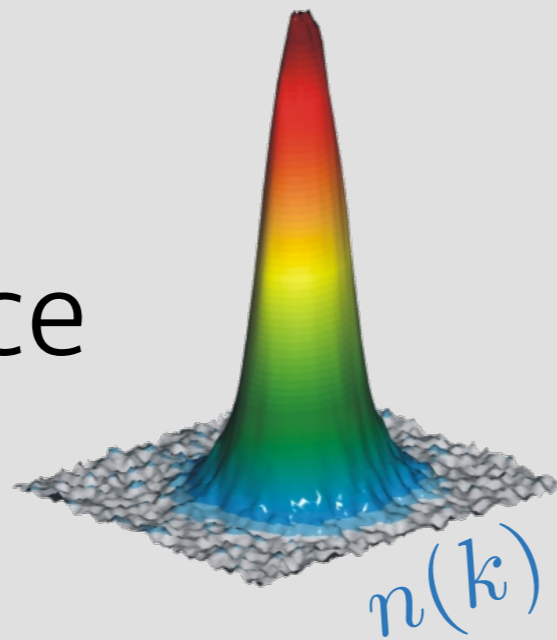
$$H_{\text{TLL}} \sim \int dx \left[\frac{1}{K} (\partial_x \phi)^2 + K (\partial_x \theta - \rho_0)^2 \right]$$

Universal Physics in 1D



All excitations are collective \Rightarrow no quasiparticle description.

Bose-Fermi
correspondance



no long range order \Rightarrow correlations are algebraic

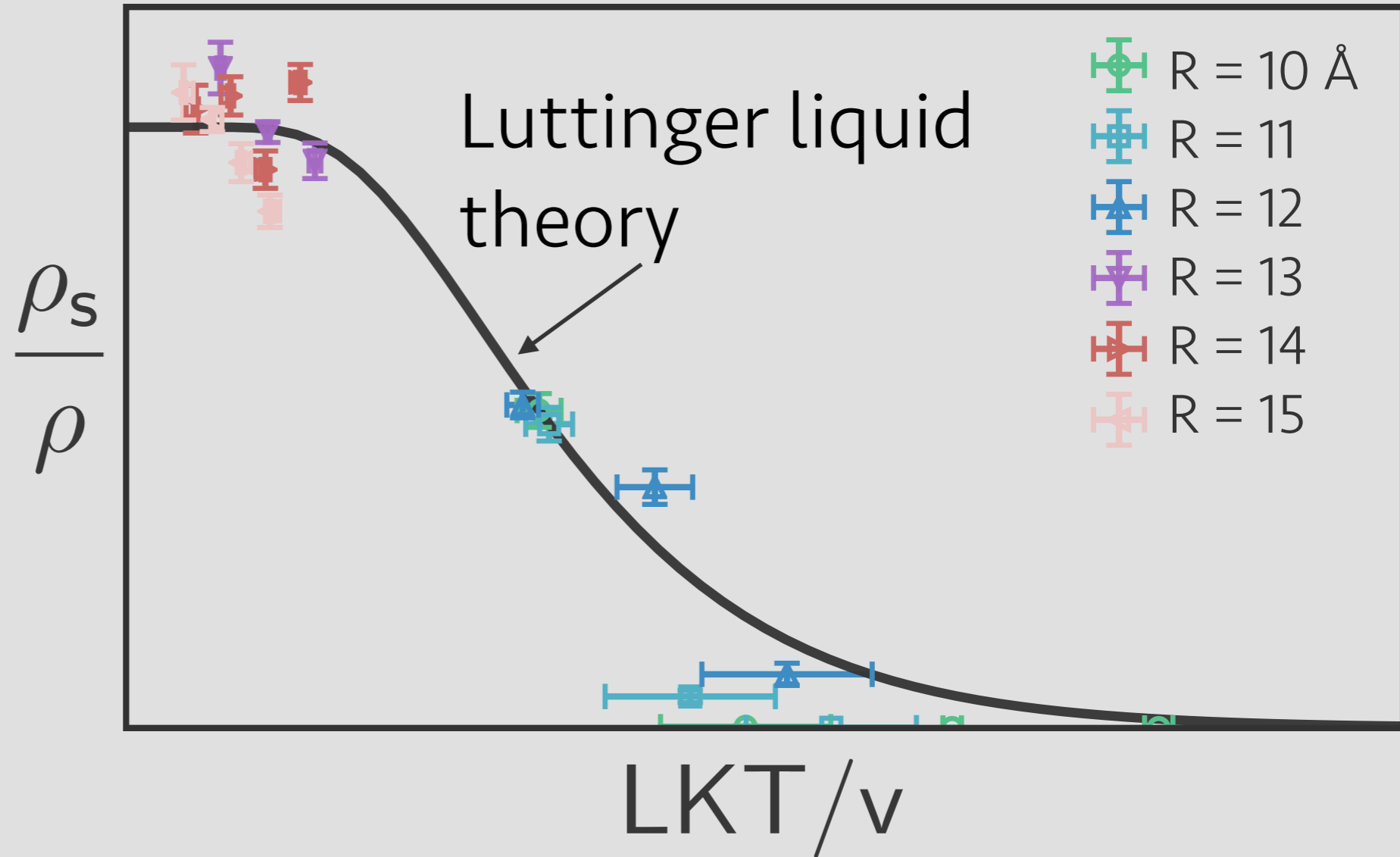
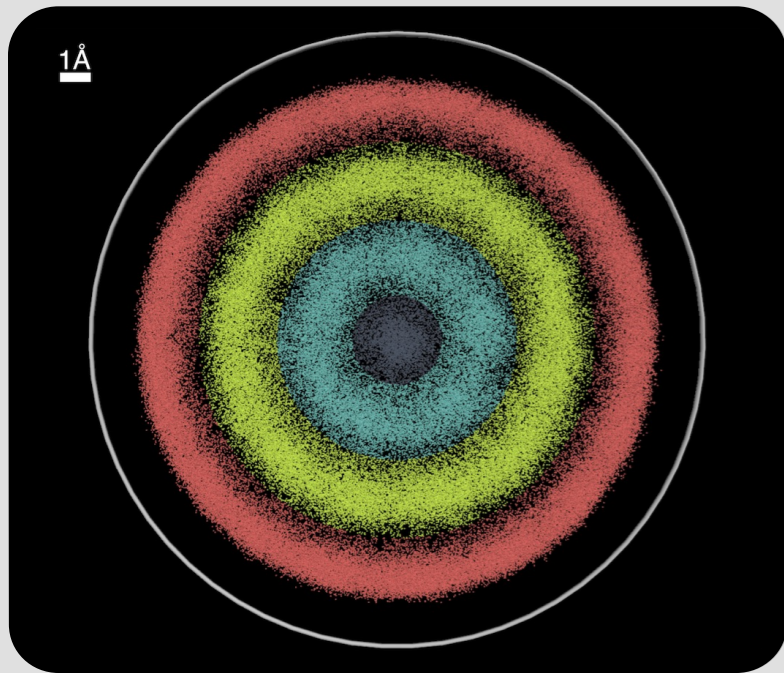
$$n(k) \sim |k|^{K/2-1}$$

momentum distribution

$$g_2(x) \sim \frac{\cos 2\pi \rho_0 x}{x^{2/K}}$$

pair correlation function

Hints From Simulations



M. Rossi, D. Galli, and L. Reatto, Phys Rev B 72, (2005)

M. Boninsegni, A. Kuklov, L. Pollet, N. Prokof'ev, B. Svistunov, and M. Troyer, PRL 99, 035301 (2007)

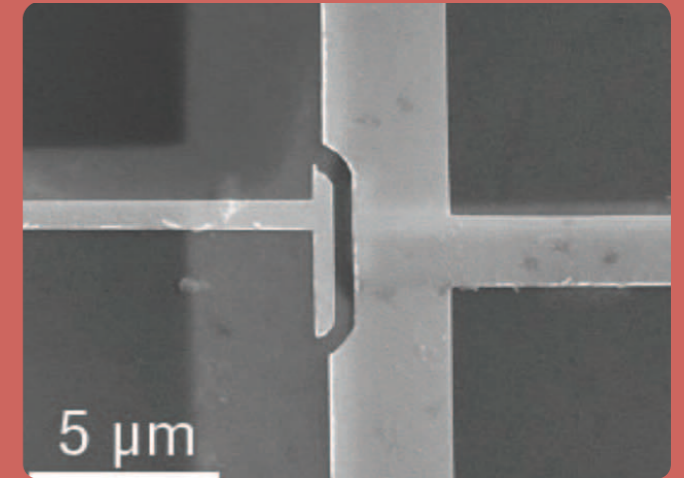
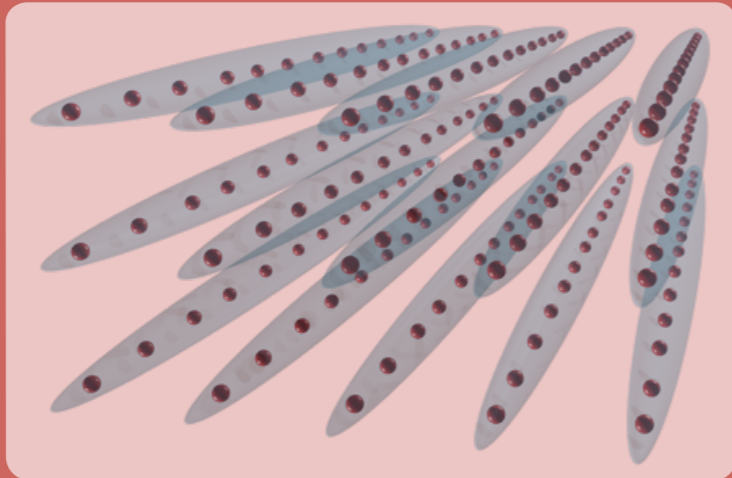
B. Kulchytsky, G. Gervais and A.D., PRB, 88, 064512 (2013)

L. Pollet and A. B. Kuklov, PRL 113, 045301 (2014)

Current experiments within a factor of 2-3 in radius!

BIG challenges in getting *small*

Luttinger liquids can be realized with ultracold atoms & quantum wires



B. Paredes, *et al.*, Nature **429**, 277 (2004)
 T. Kinoshita, *et al.*, Science **305**, 1125 (2004)
 E. Haller, *et al.*, Nature **466**, 597 (2010)

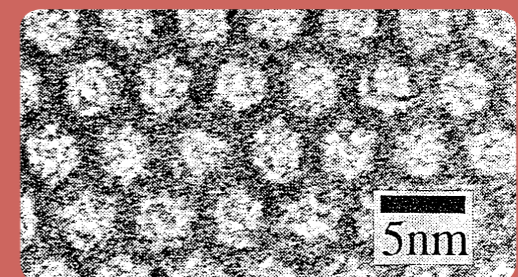
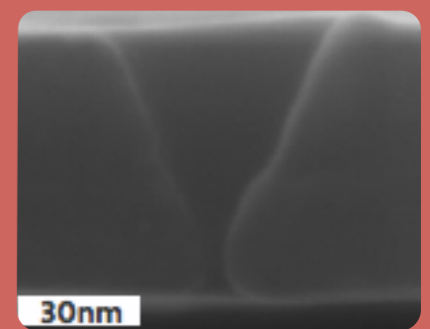
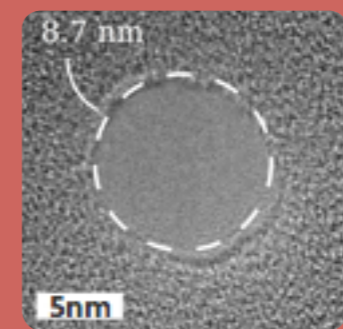
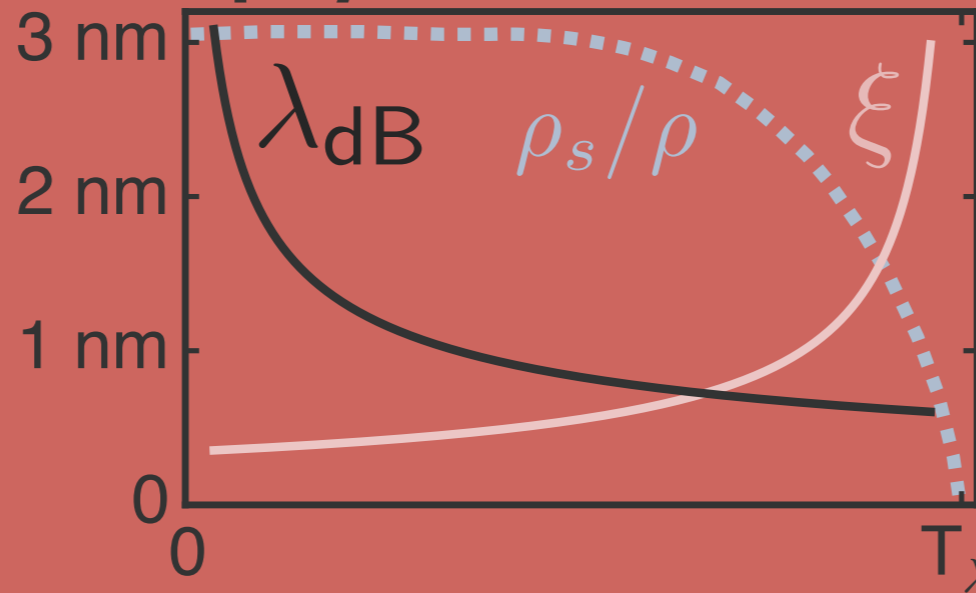
O. M. Auslaender, *et al.*, Science **308**, 88 (2005)
 Y. Jompol, *et al.*, Science **325**, 597 (2009)
 D. Laroche, *et al.*, Science **343**, 631 (2014)

$$n_{1D}^{-1} \sim 500 \text{ nm}$$

$$k_F^{-1} \sim 20 - 50 \text{ nm}$$

Relevant ^4He scales:

Need physical confinement!



$$n_{1D}^{-1} \sim 0.5 \text{ nm}$$

$$E_{\text{int}} \sim 1 \text{ K}$$

Grand Challenges

- 1 Theoretical predictions and **smoking guns** for crossover to Tomonaga-Luttinger liquid regime
- 2 1D **Boson-Fermion** correspondance
- 3 1D **weak links** and Josephson junctions
- 4 **Breakdown** of the 2-fluid model
- 5 Novel **quantum phase transitions**
- 6 **Entanglement** in quantum liquids

Discussion

Helium Community

- What do experimentalists want from theorists?
- What do we really know about the correlation length at low temperature?
- Do we understand how the nature of dissipation mechanisms will change in 1D?
- Can larger pores be created and coated to reduce their size?
- How can we increase the stability of quasi-1D pores?
- What different things can we learn from single channel vs. multi-channel experiments?
- Which types of results be directly compared?

Cold Atoms & Quantum Wires

- What can we learn about 1D in ultracold atom and electronic systems?
- What maximal densities could ever be achieved in those systems?
- How hard is it to “swap-in” fermions in ultracold atoms systems?